

A vibrant, fantastical landscape with a bright sun, colorful clouds, and a large ringed planet in the sky. The scene is set in a desert-like environment with dark, jagged rock formations in the foreground and a winding path. The sky is filled with a mix of orange, yellow, and purple hues, suggesting a sunset or sunrise. A large, glowing ringed planet is visible in the upper right corner, and a smaller crescent moon is in the upper left. The overall atmosphere is surreal and otherworldly.

# Observations of Extrasolar Planets

- I. Kepler transits
- II. Doppler velocity
- III. Microlensing
- IV. Imaging
- V. Disks



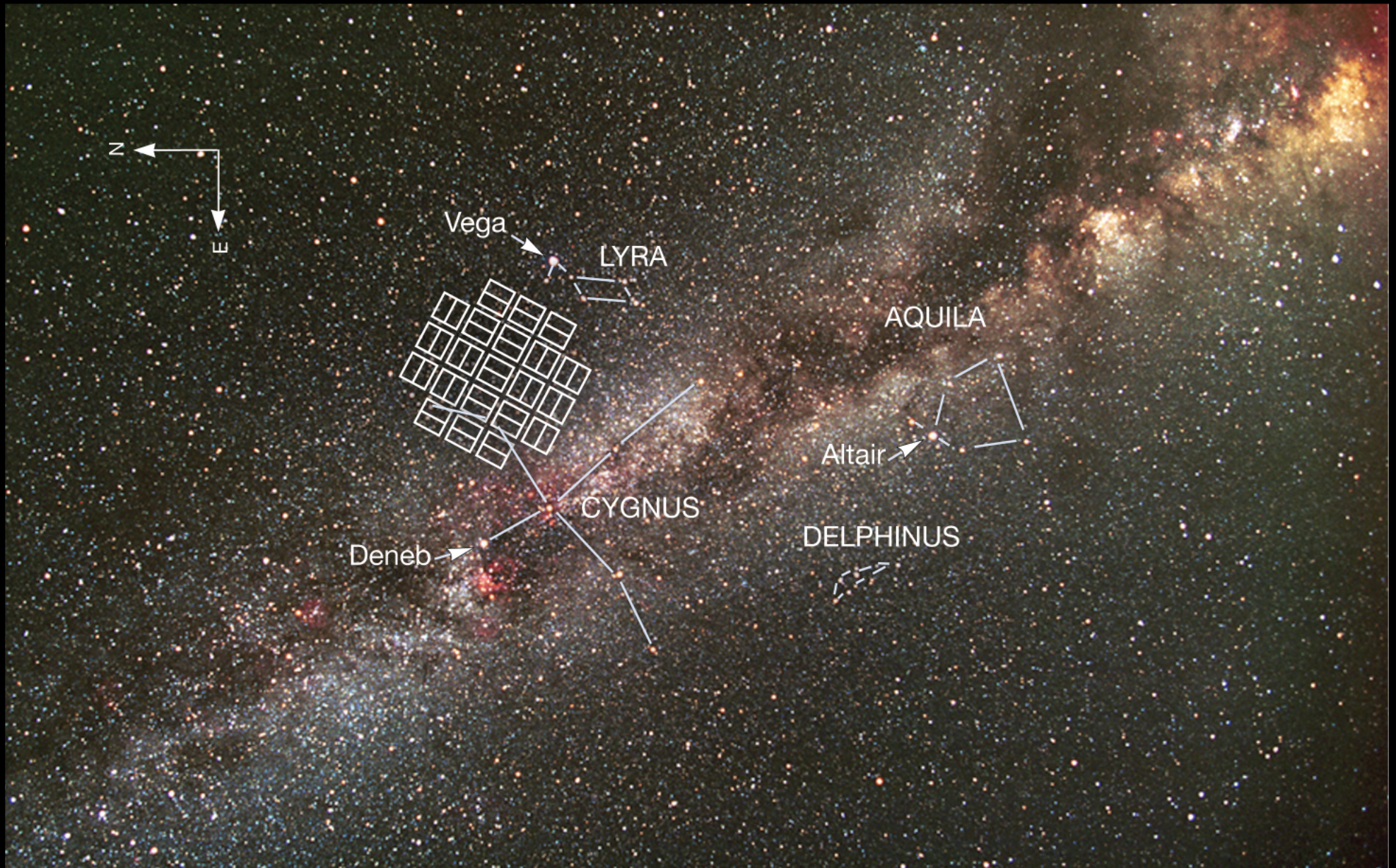
BRIGHTNESS



TIME IN HOURS



# NASA's Kepler Mission

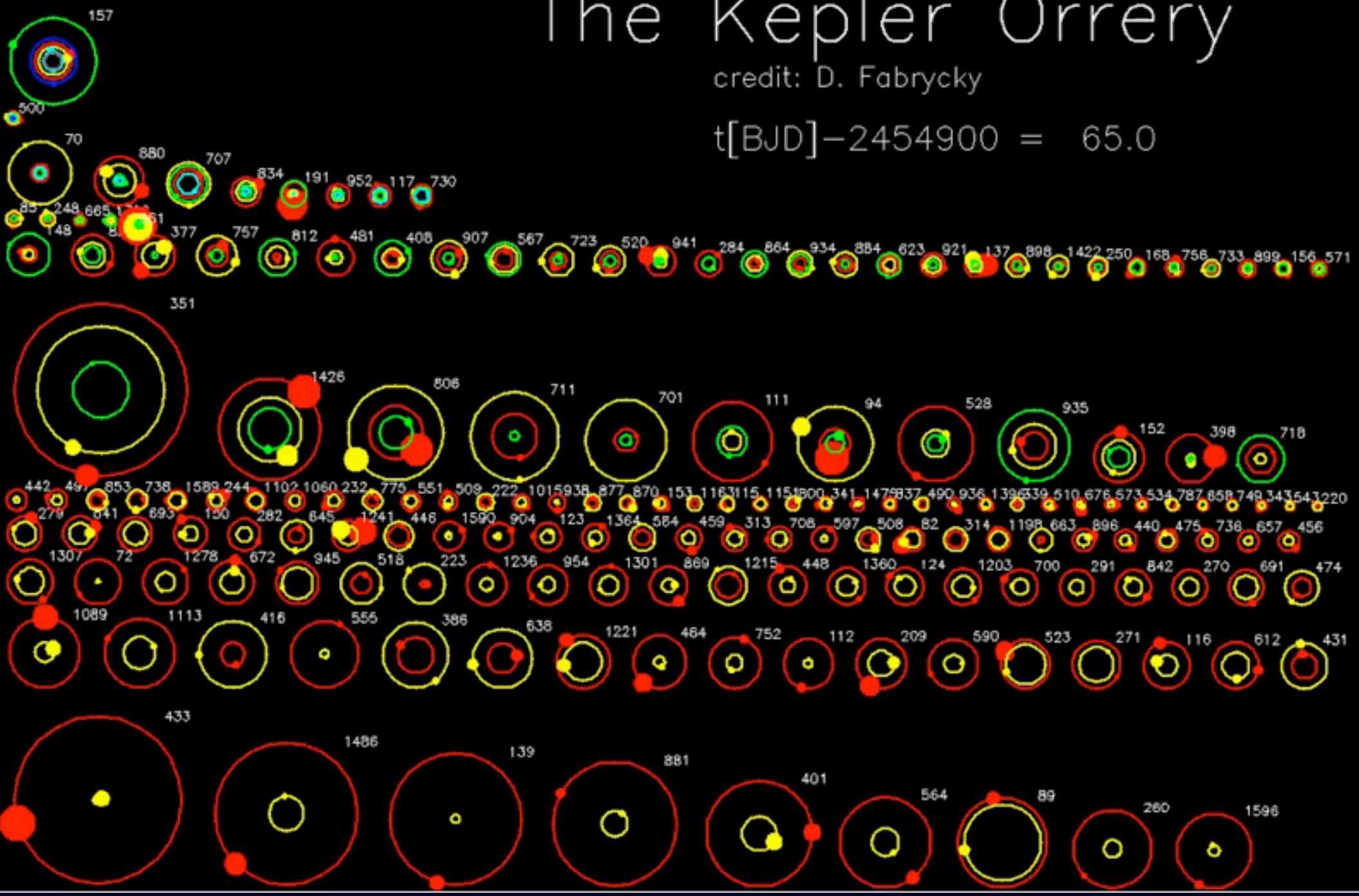




# The Kepler Orrery

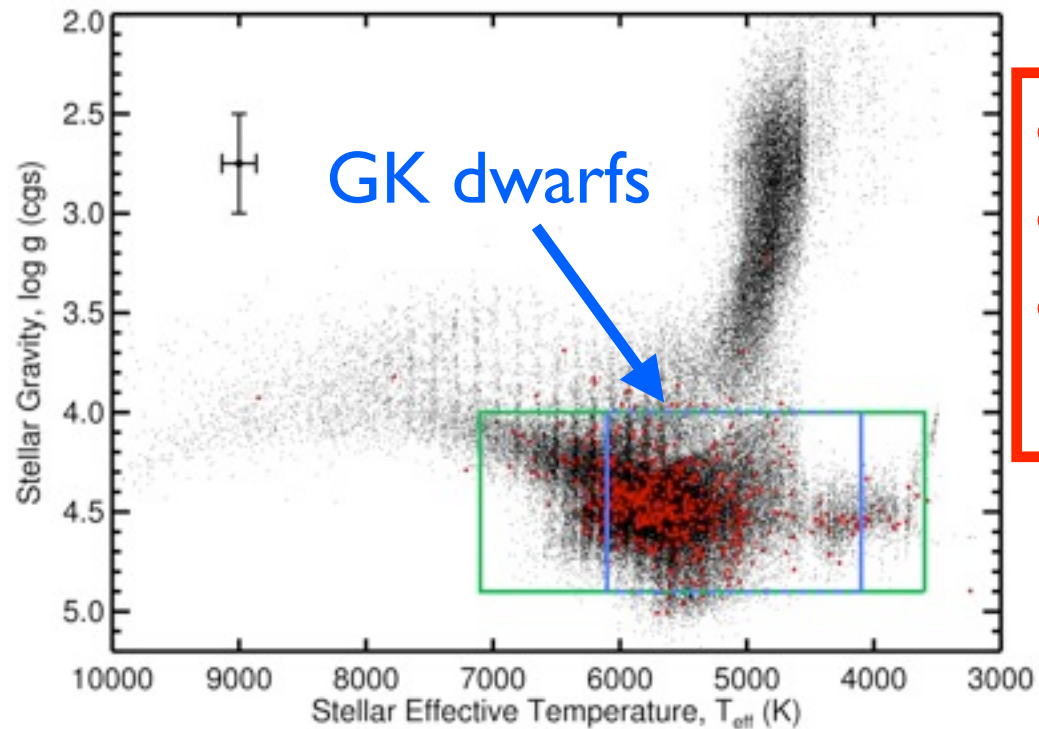
credit: D. Fabrycky

$$t[\text{BJD}]-2454900 = 65.0$$





# Choose Subset of Planets/Stars for High Detectability

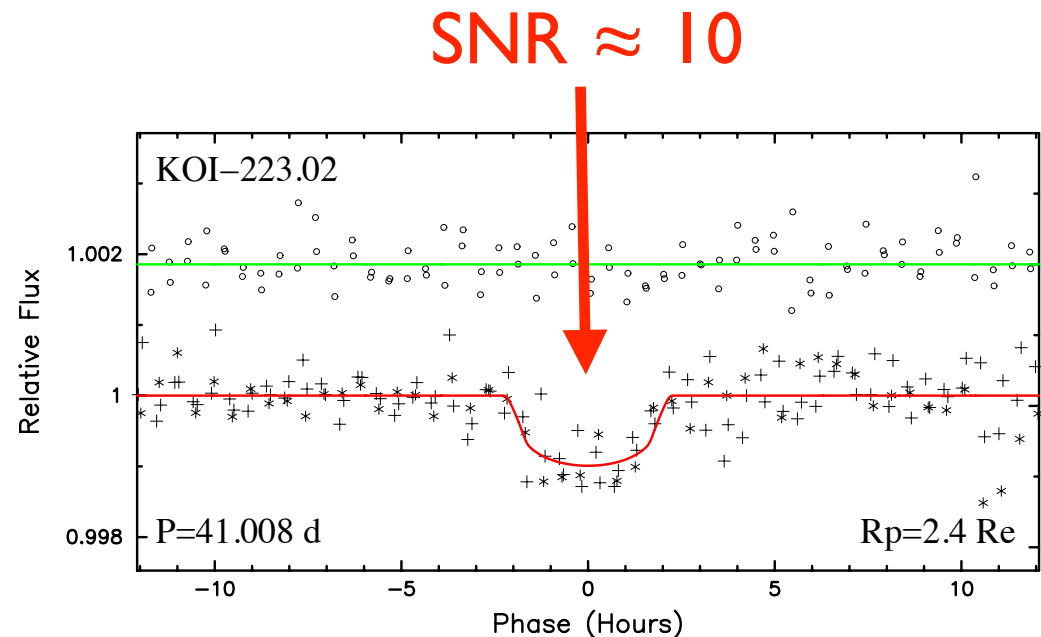


- Only GK dwarfs ( $T_{\text{eff}}/\log g$ )
- Only bright stars ( $K_p < 15$ )
- Only high SNR transits ( $\text{SNR} > 10$  in 90 days)

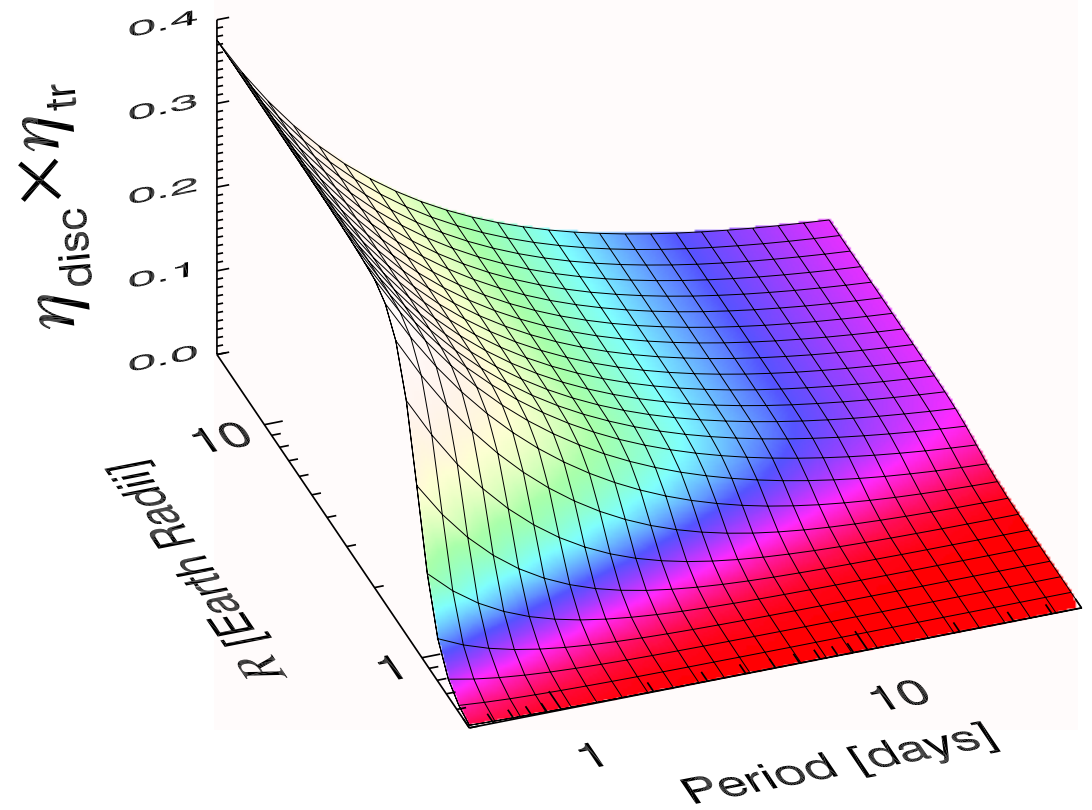
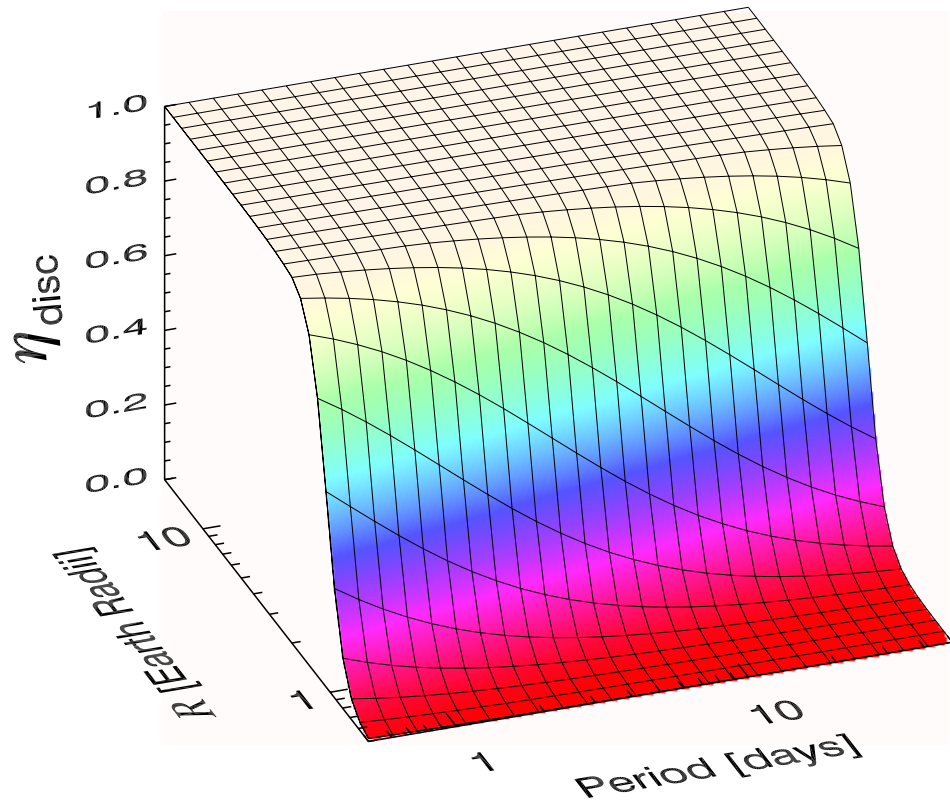
Full sample  
~156,000 stars  
1,230 planets

→

Restricted sample  
~58,000 stars  
438 planets



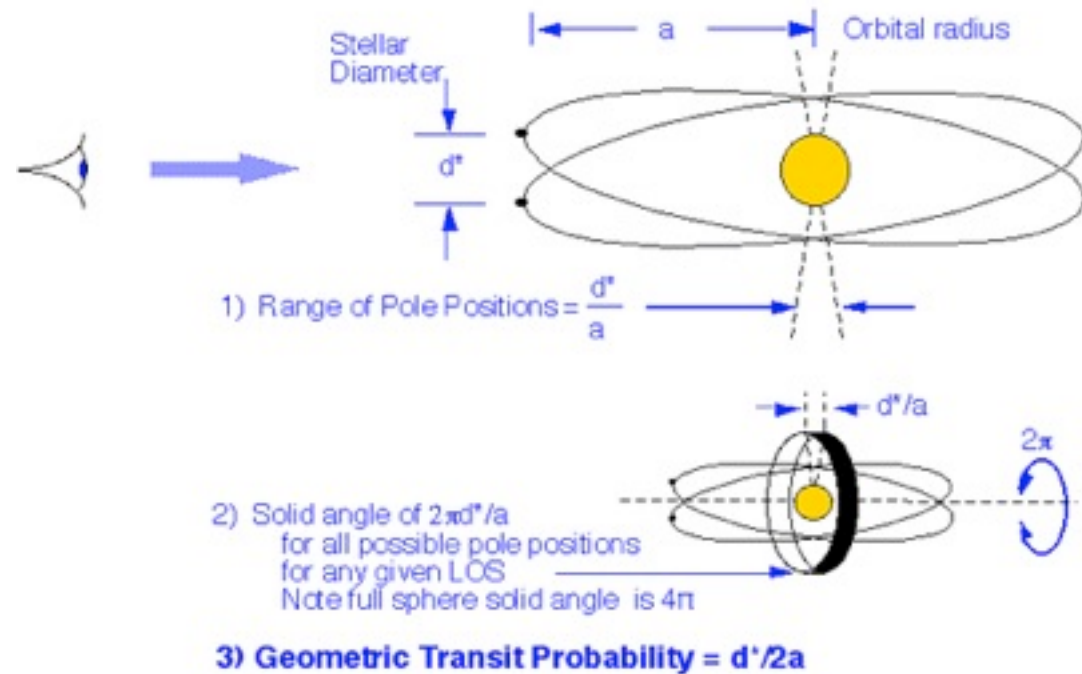




$\eta_{\text{disc}}$  = Kepler discovery efficiency

$\eta_{\text{tr}}$  = planet transit probability

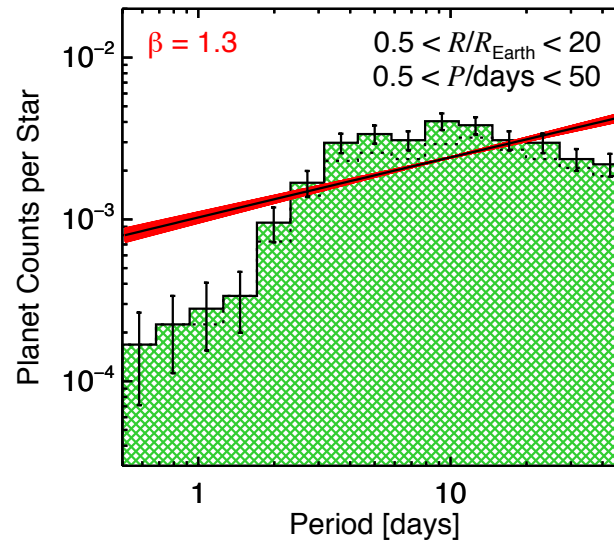
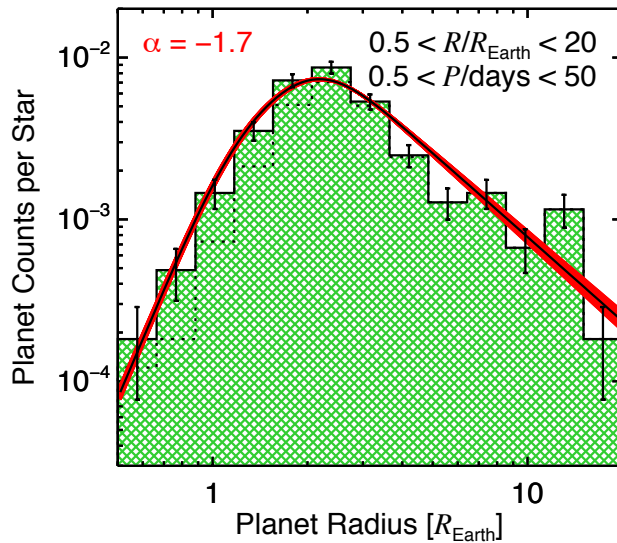
### GEOMETRY FOR TRANSIT PROBABILITY



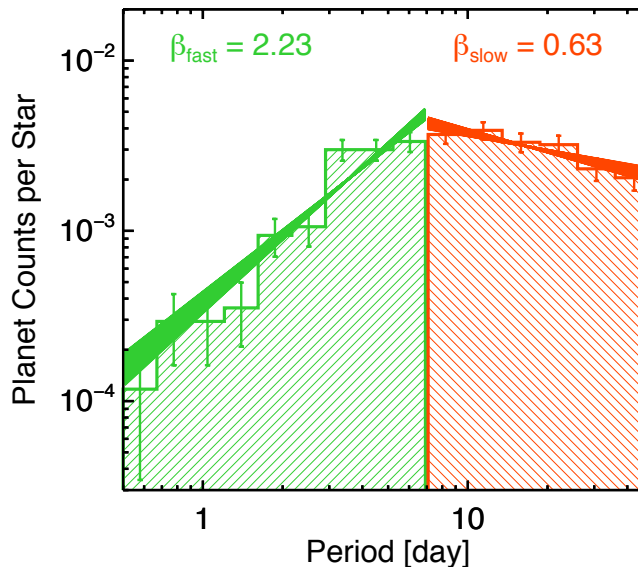
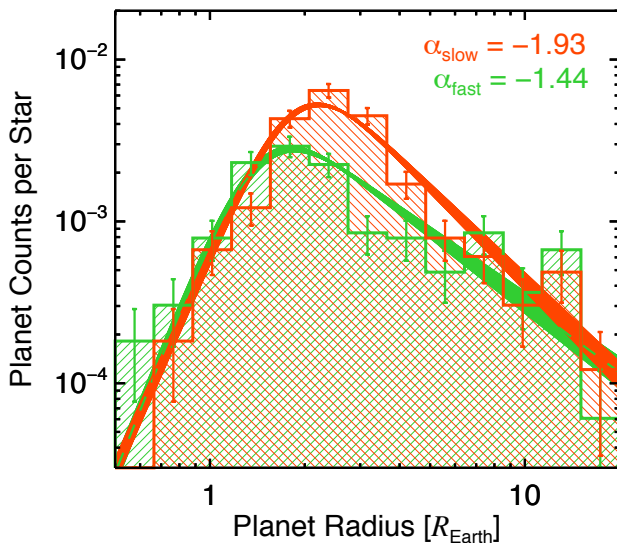


$n \equiv$  number of planets per star

$$\frac{\partial^2 n}{\partial \ln R \partial \ln P} \propto R^\alpha P^\beta \text{ (say)}$$



period distribution  
not well fitted by single  
power law



divide into fast and slow  
populations and fit  
separately

$P < 7$  days

$$\frac{\partial^2 n}{\partial \ln R \partial \ln P} \propto R^{-1.4} P^{2.2}$$

$P > 7$  days

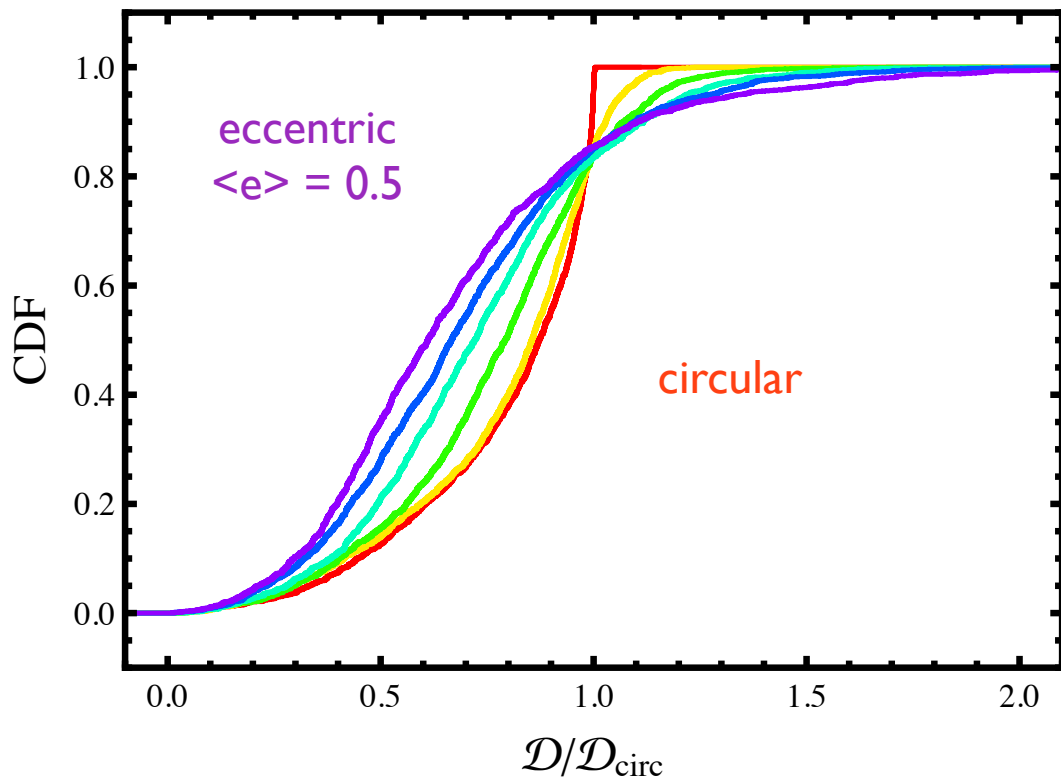
$$\frac{\partial^2 n}{\partial \ln R \partial \ln P} \propto R^{-1.9} P^{0.6}$$



$n (R > 2 R_{\oplus}, P < 50 \text{ days}) \sim 0.2 \text{ planet per star}$

Trust detection efficiency down to  $1 R_{\oplus}$ ,  
and extrapolate to 365 days :

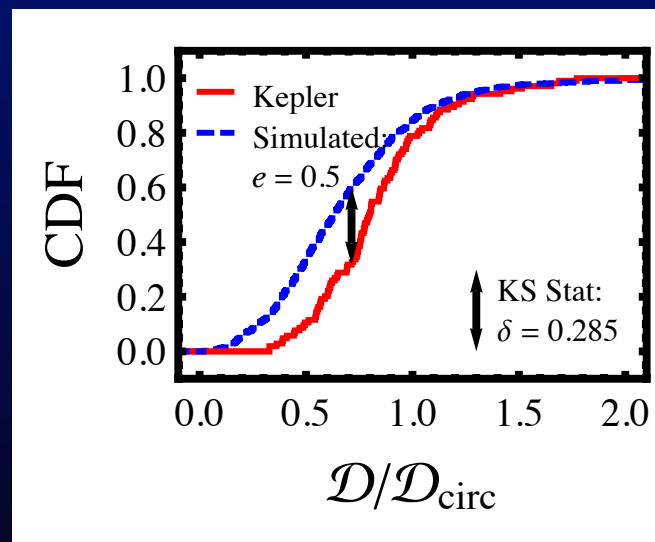
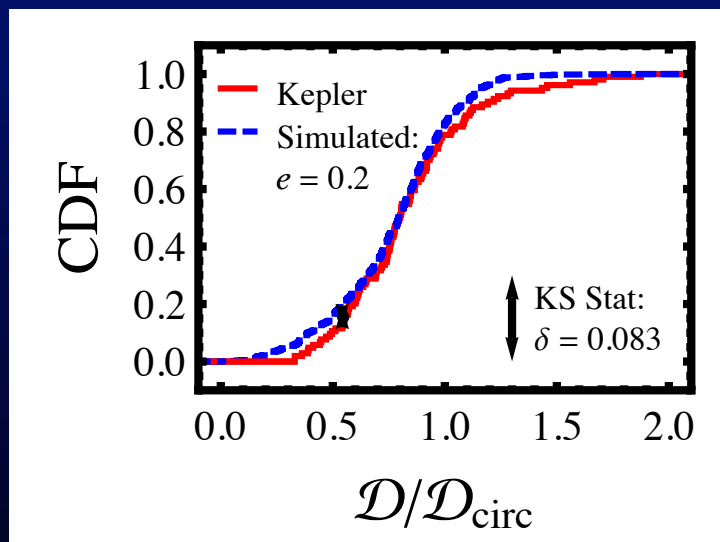
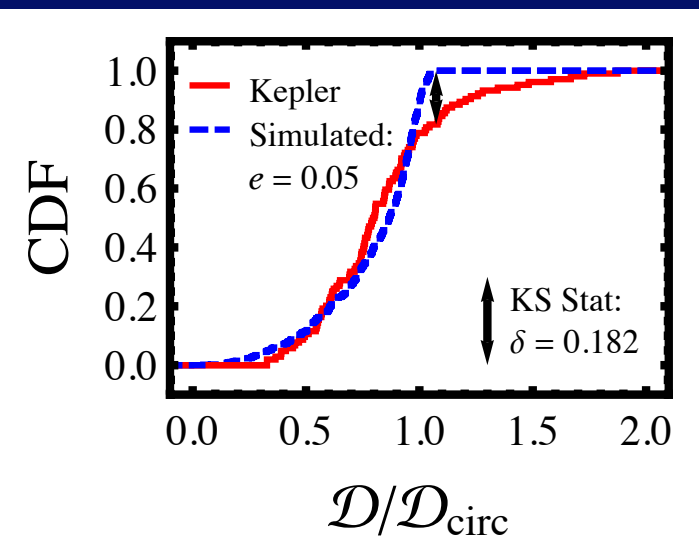
$n (R > 1 R_{\oplus}, P < 365 \text{ days}) \sim 2 \text{ planets per star}$



Eccentricity alters transit duration

$$\mathcal{D}_{\text{circ}} \equiv P \times \frac{2R_{\star}}{2\pi a}$$

Actual  $\mathcal{D}$  lower if inclined near periapse  
 Actual  $\mathcal{D}$  higher if near apoapse



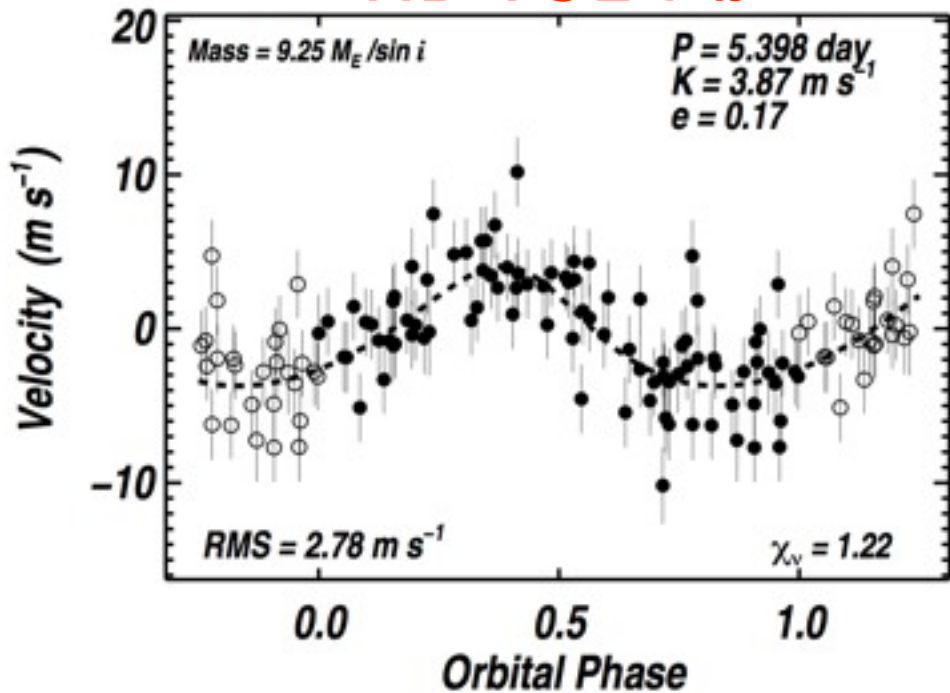
Mean  $\langle e \rangle \sim 0.2$  but beware uncertainty in  $R_{\star}$



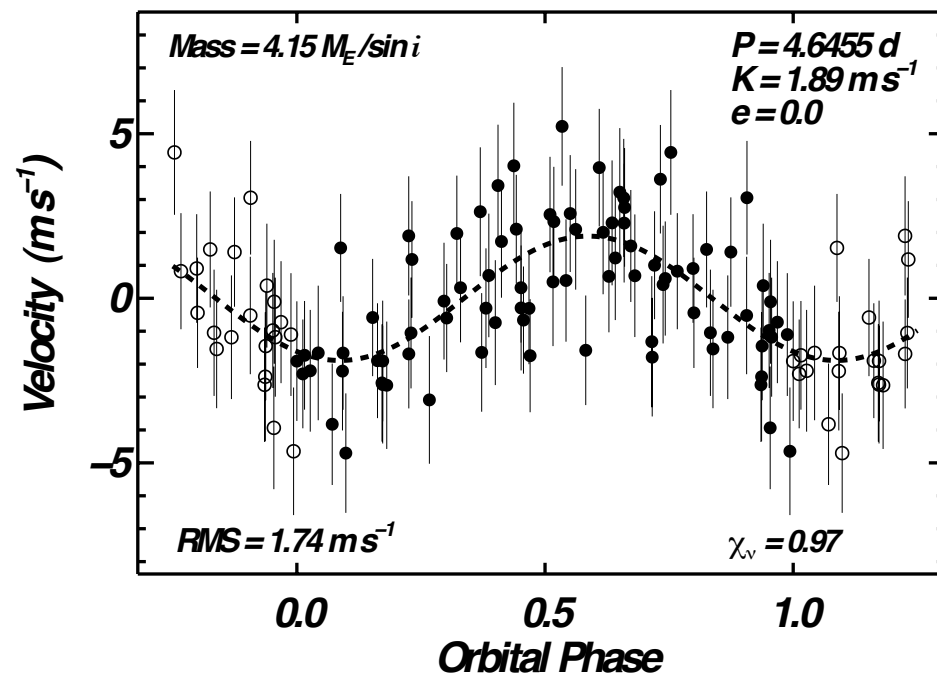
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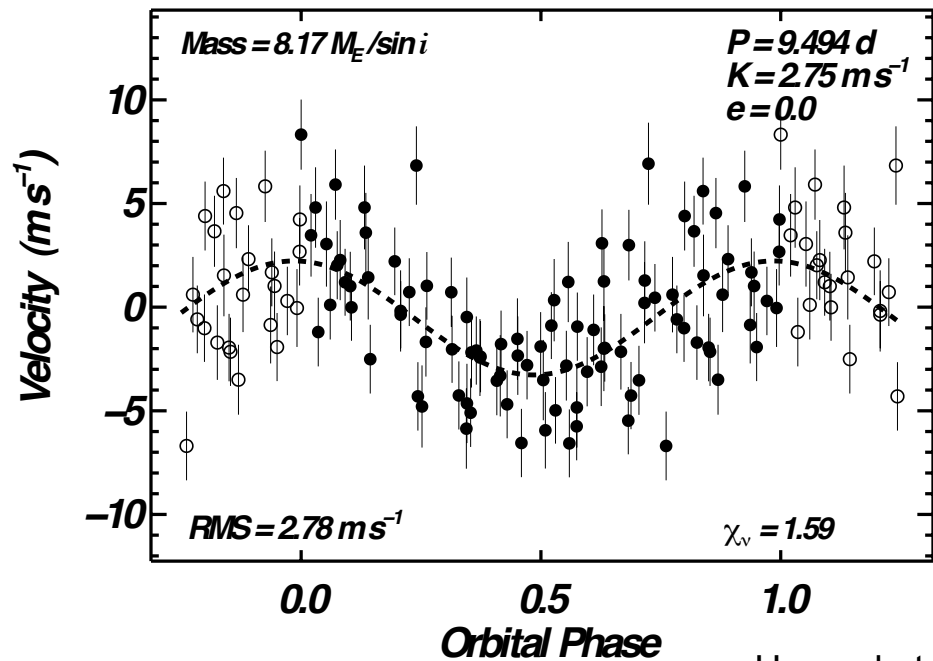
# HD 7924 b



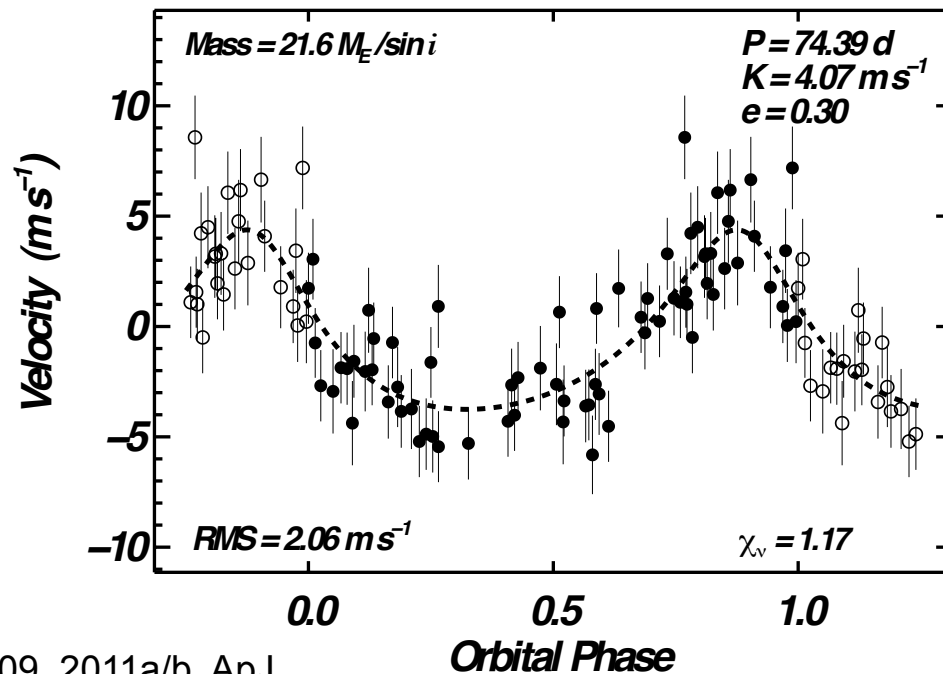
# HD 156668 b



# HD 97658 b



# GI 785 b

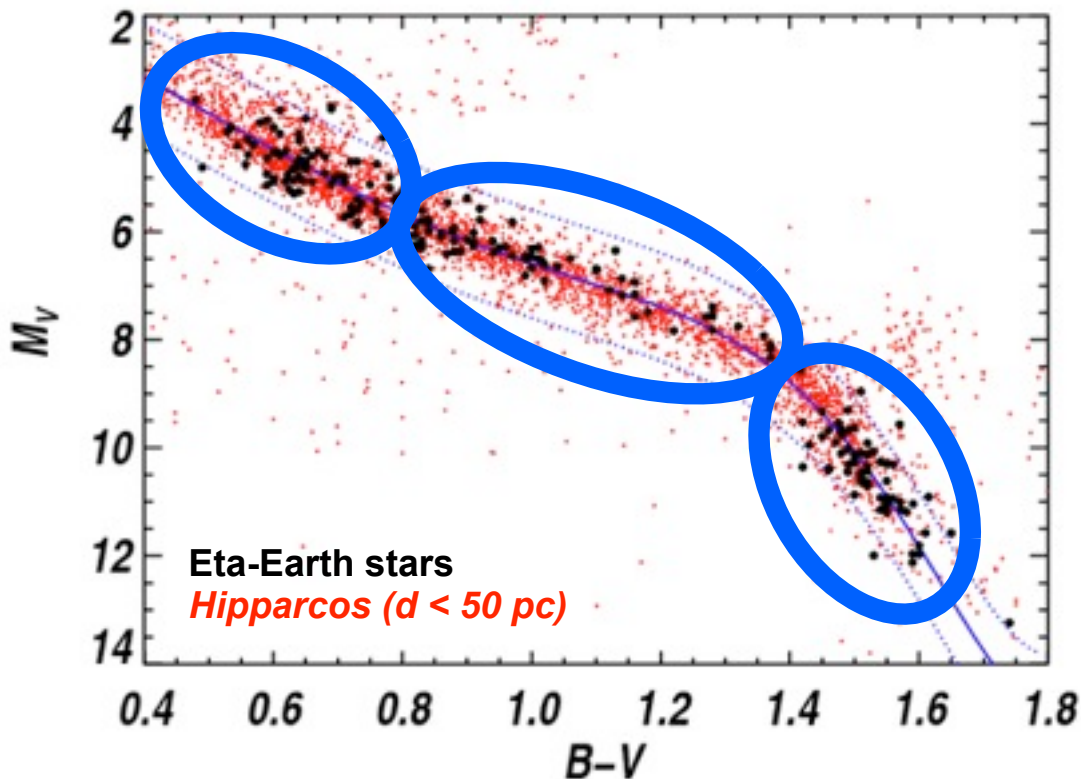




# NASA-UC Eta-Earth Survey

RV survey of 238 nearby GKM dwarfs  
Search for low-mass planets ( $M_{\text{Jup}} > 3 M_{\text{Earth}}$ )  
Constrain population of low-mass planets

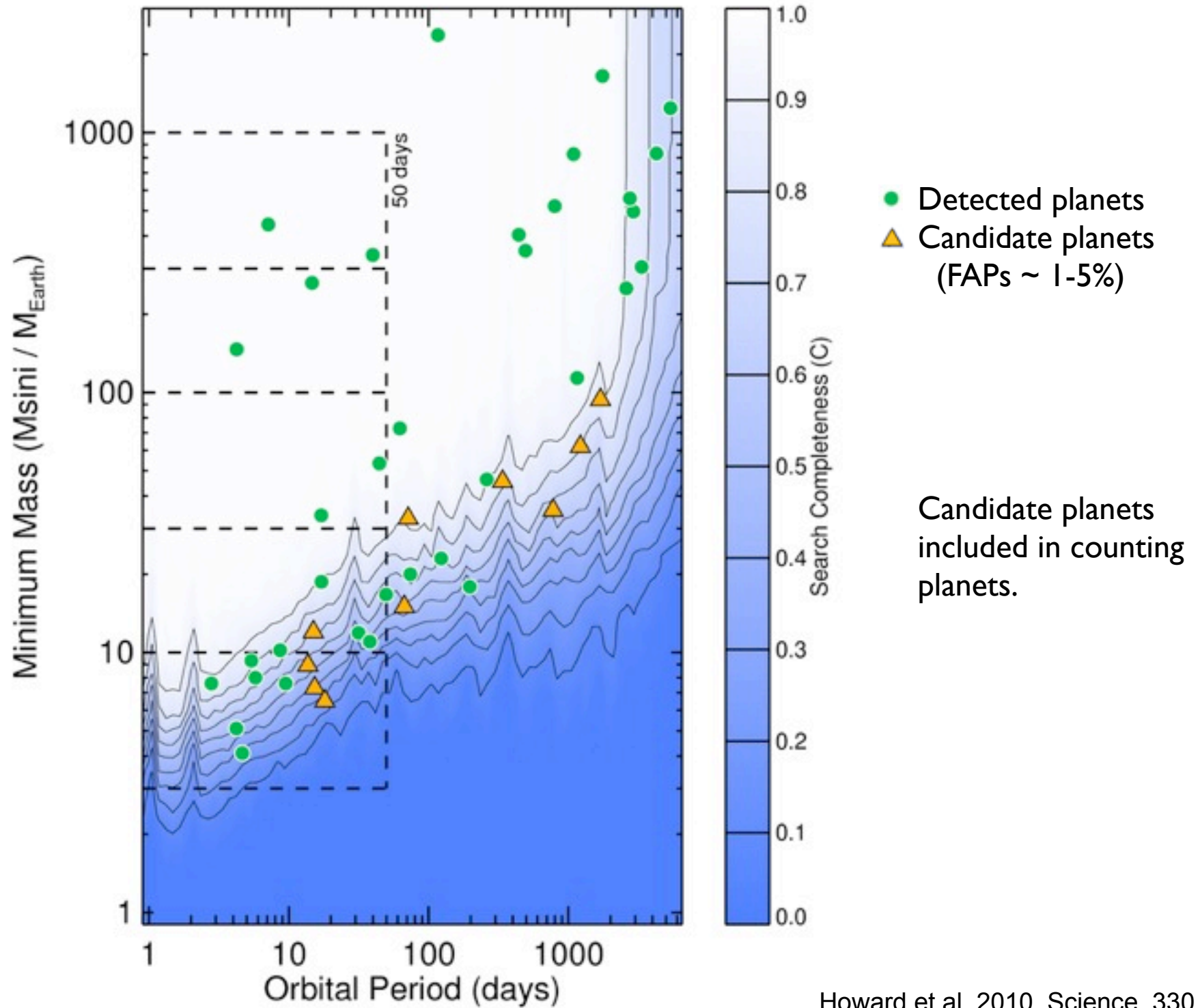
**G stars   K stars   M stars**



39% G stars  
33% K stars  
28% M stars

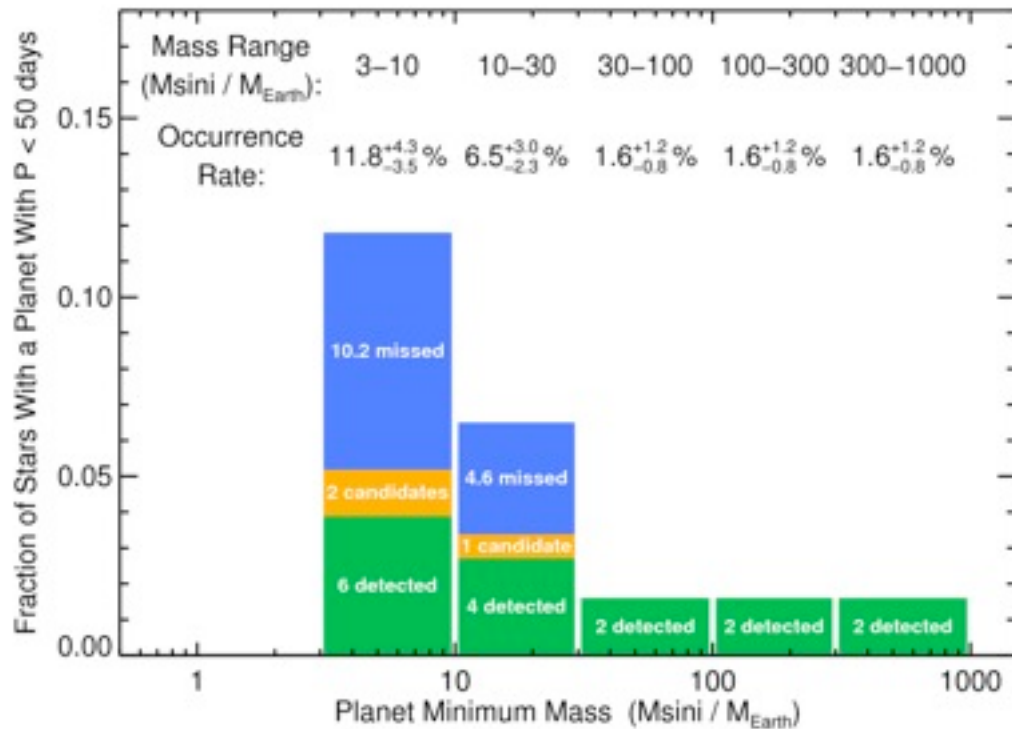
Statistically unbiased (nearly)  
stellar population:

- $V < 11$
- distance < 25 pc
- $\log R'_{\text{HK}} < -4.7$  (inactive)





# Key Result: Power-law Mass Distribution



$$df/d\log M = kM^\alpha$$

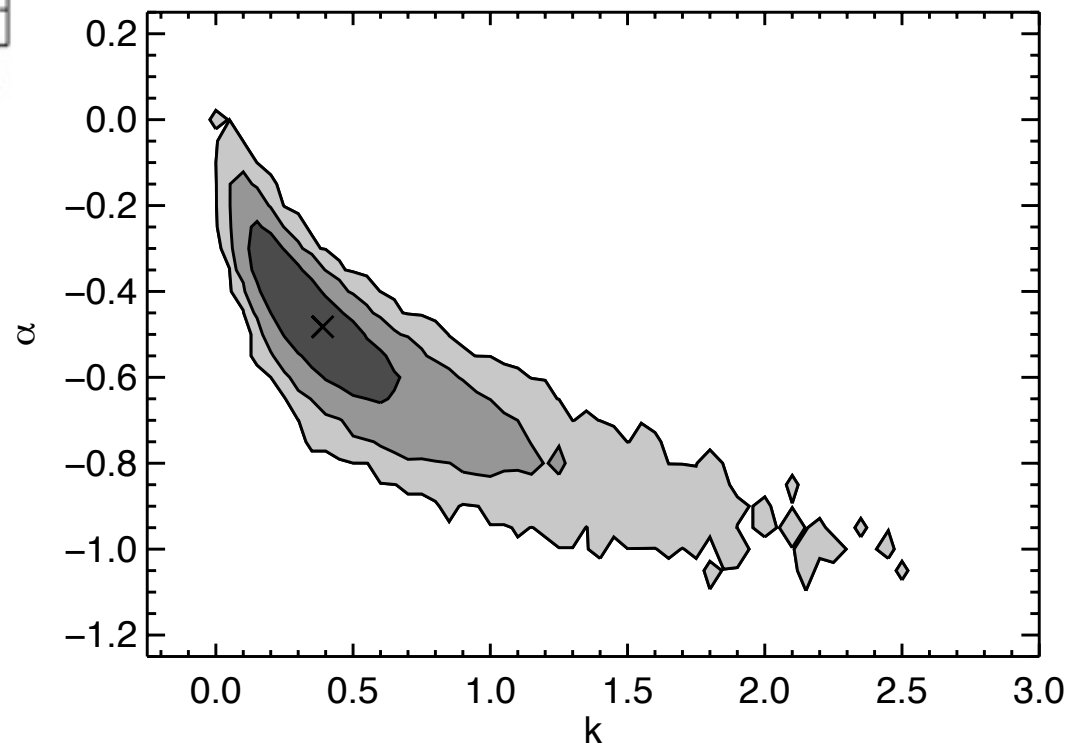
$$k = 0.39^{+0.27}_{-0.16}$$

$$\alpha = -0.48^{+0.12}_{-0.14}$$

Compute Errors

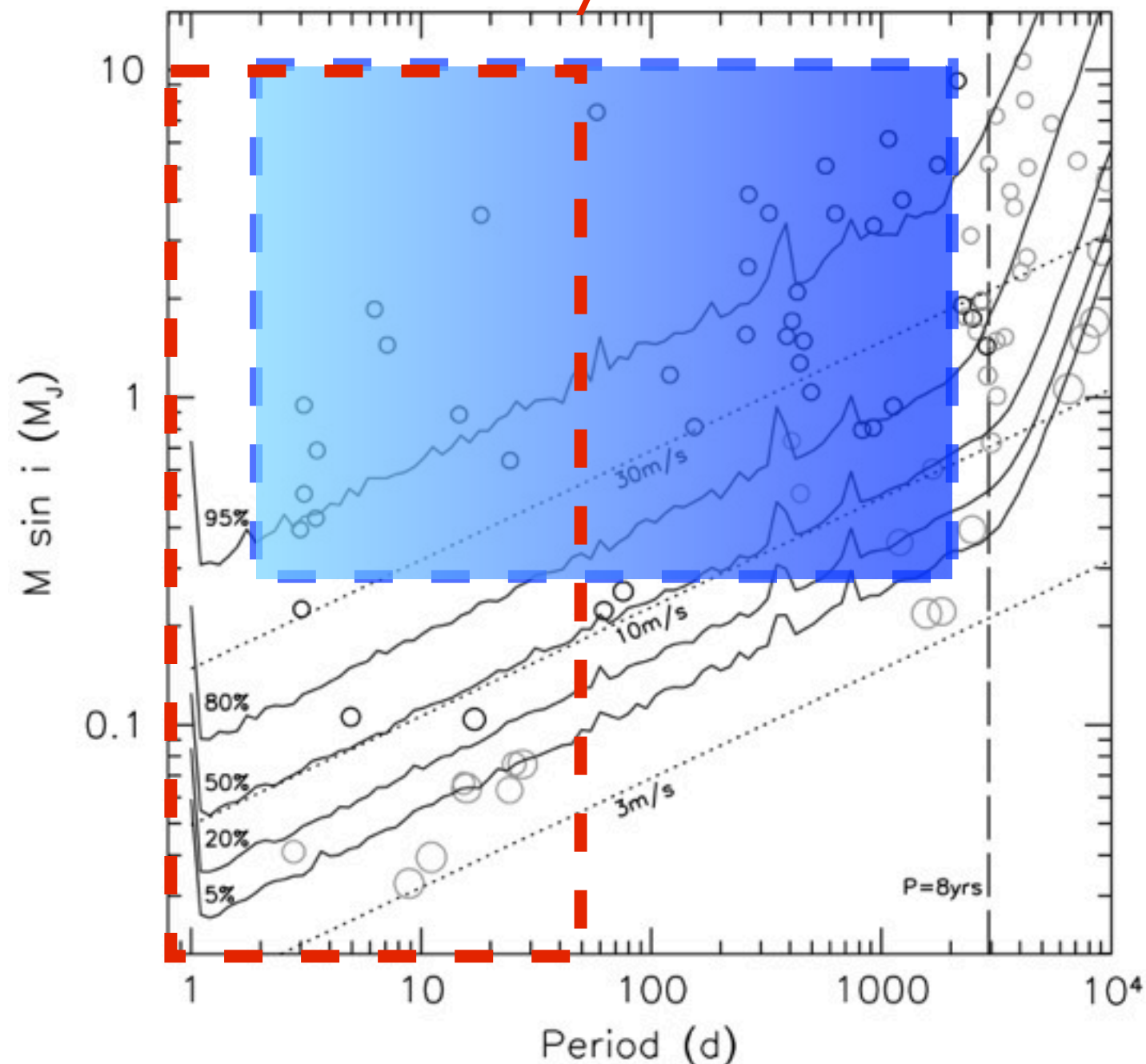
assume binomial statistics

scale missed planets w/det + cand



# Giant Planet Occurrence Rates

## Eta-Earth Survey



Cumming et al. (2008)

475 FGK dwarfs

Giant Planet Occurrence:

$$\frac{dN}{d \ln P d \ln M} = C M^\alpha P^\beta$$

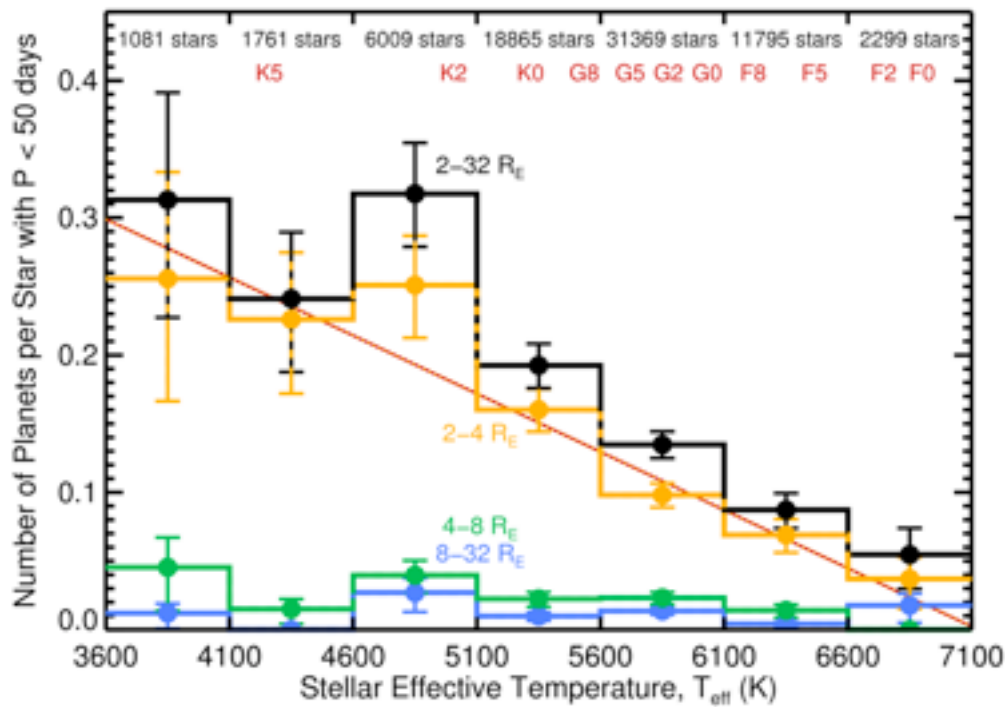
$$\alpha = -0.31 \pm 0.2$$

$$\beta = +0.26 \pm 0.1$$

10.5% occurrence for  
 $M \sin i = 0.3\text{--}10 M_J$   
 $P = 2\text{--}2000$  days

See also, e.g., Udry et al. (2003)

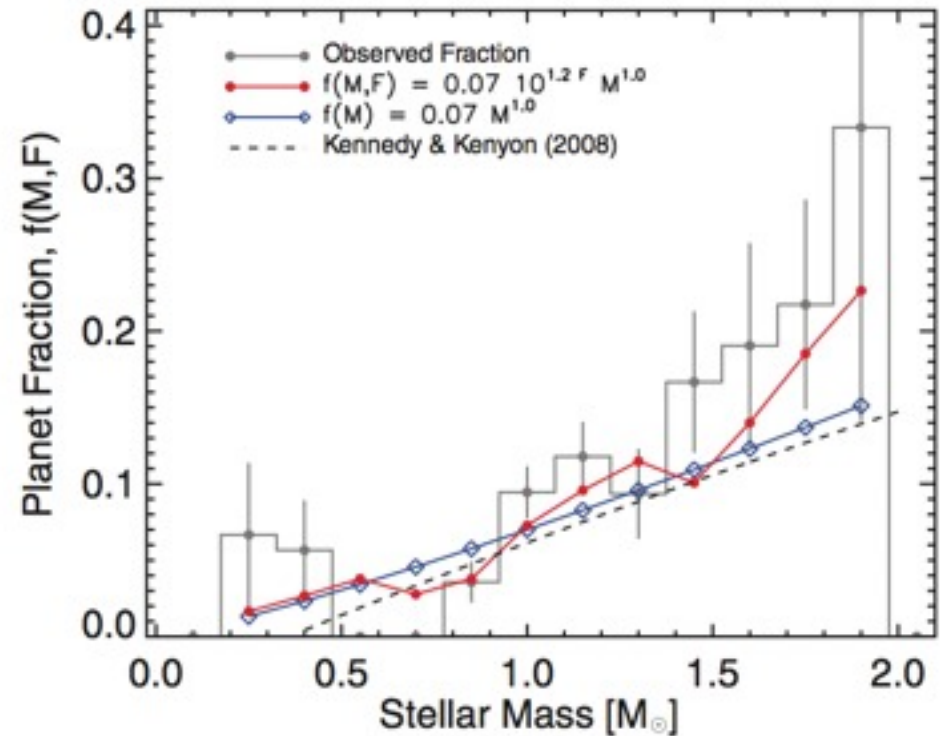
# Planet Occurrence vs. $M_{\star}$



Occurrence within 0.25 AU  
of small planets  
*decreases* with  $M_{\star}$



Howard et al. (2011c)



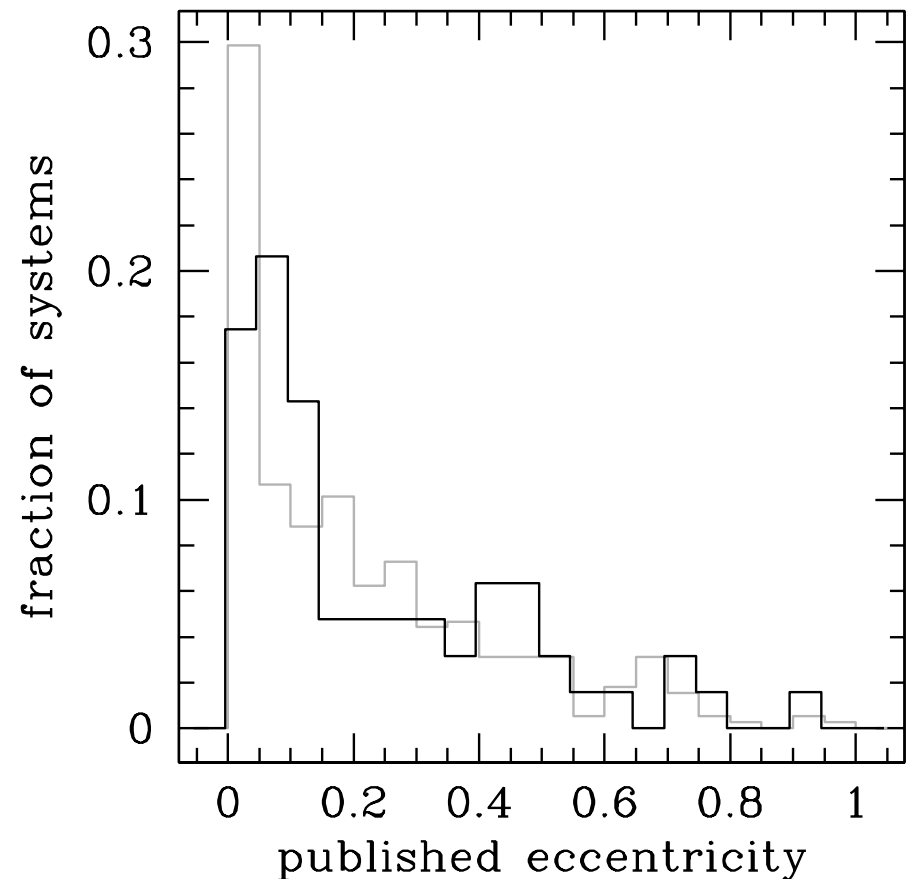
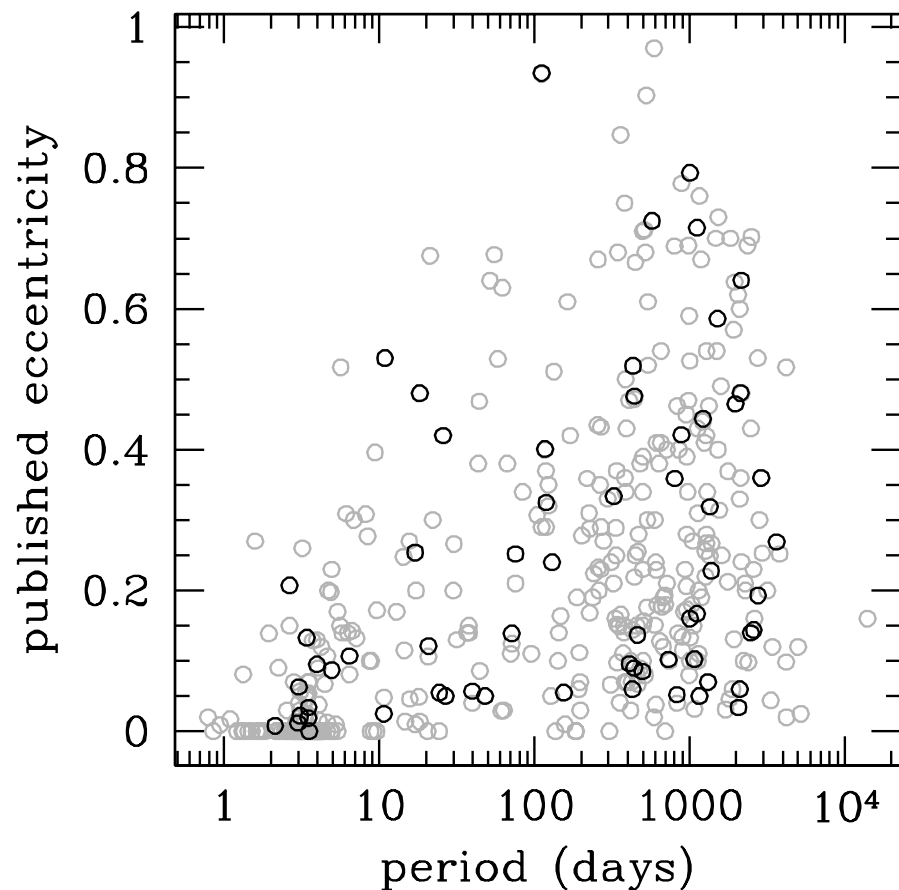
Occurrence within 2.5 AU  
of giant planets  
*increases* with  $M_{\star}$



Johnson et al. (2010)



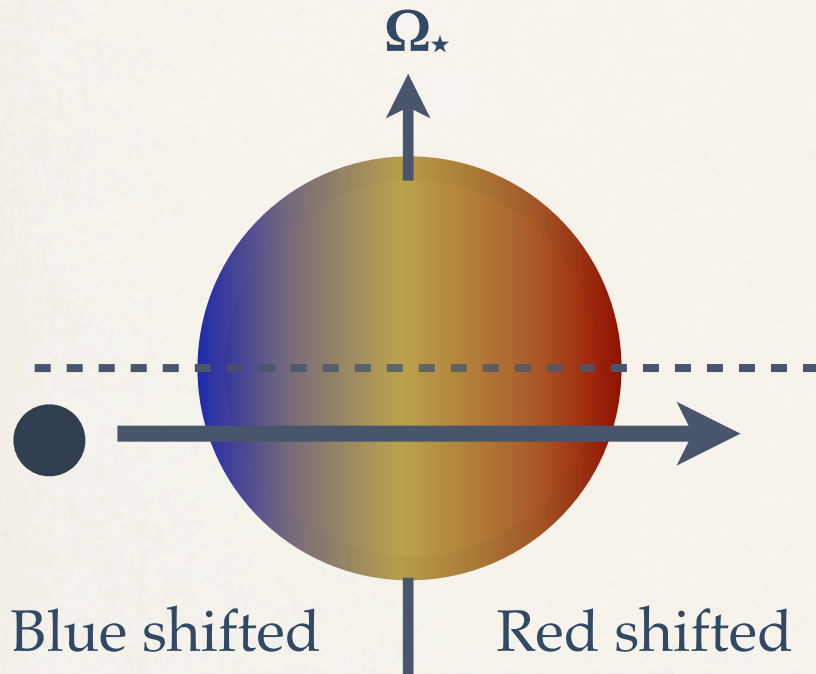
# Eccentricities from Doppler Surveys



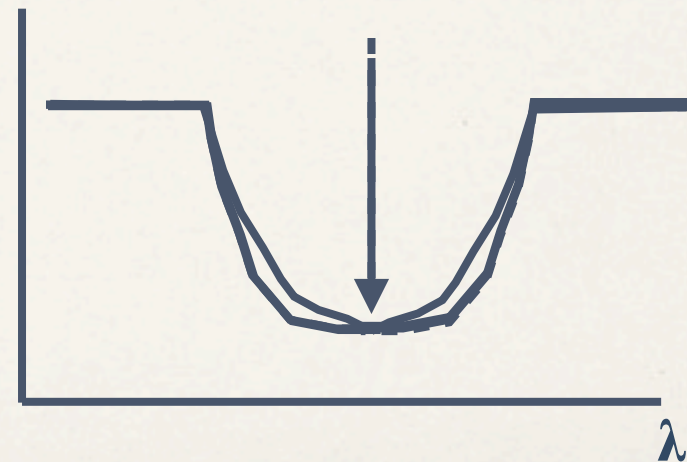
$P > 10$  days: At face value, 10% of systems have  $e < 0.05$   
But corrected for eccentricity bias:  $28 \pm 8\%$

# Transits with stellar rotation

- ❖ Intensity of the star is Doppler shifted.

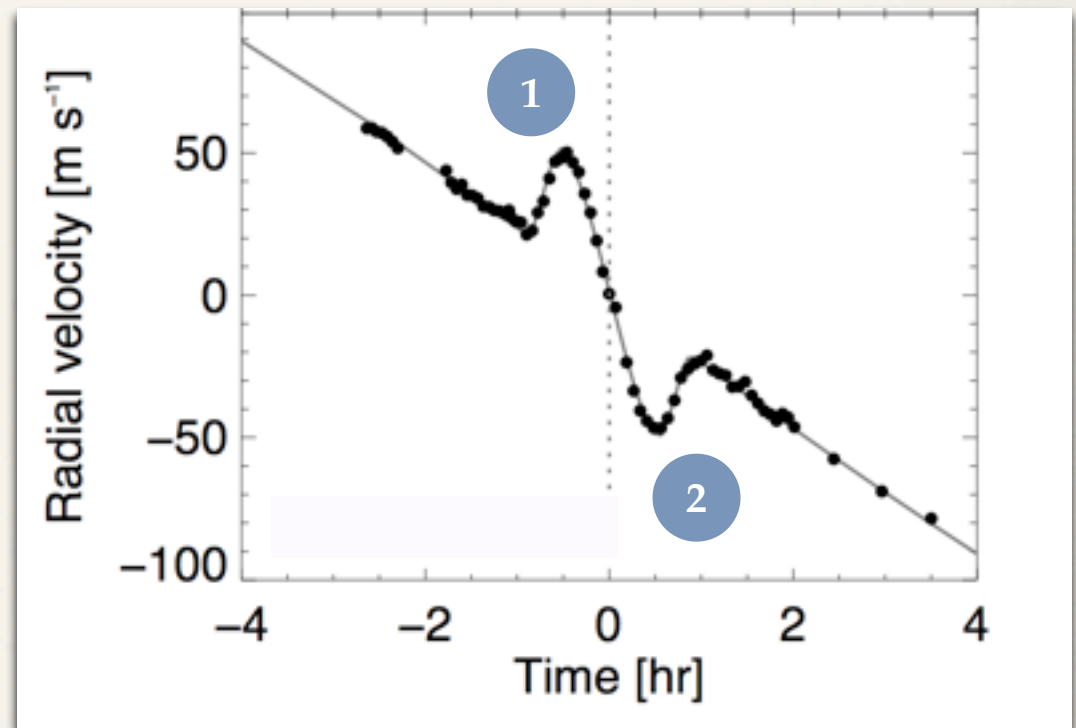
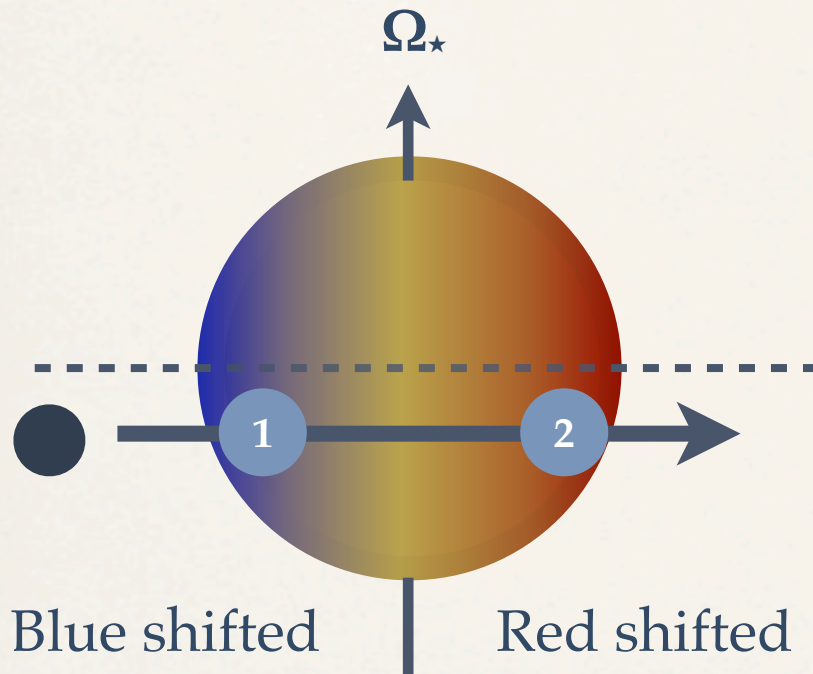


- ❖ Planet blocks blue shifted and red shifted side at different times.
- ❖ Results in an “anomalous” Doppler shift of line centers.



# Transits with stellar rotation

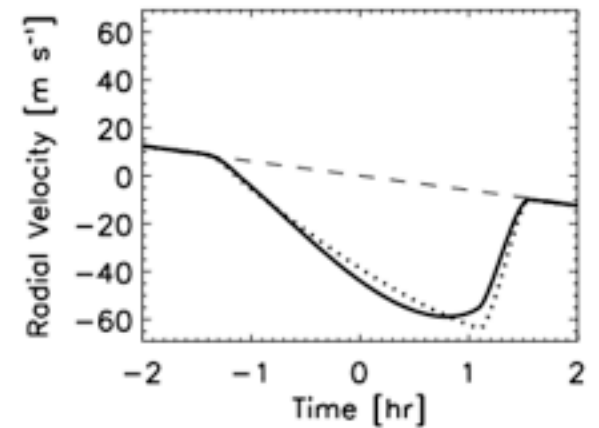
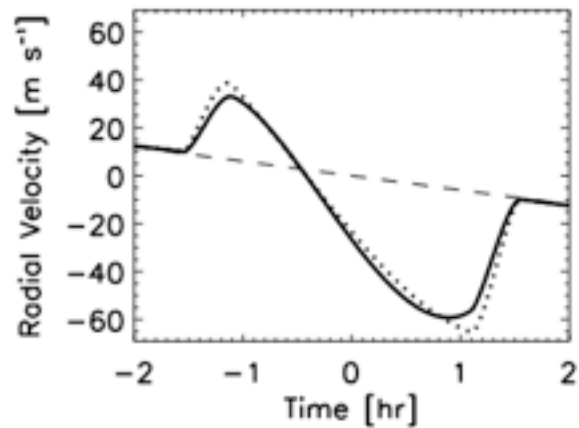
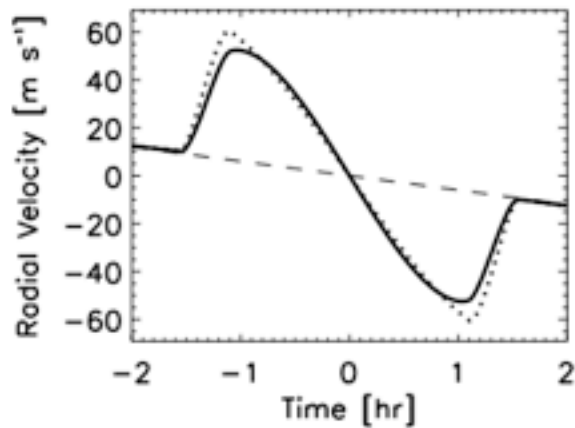
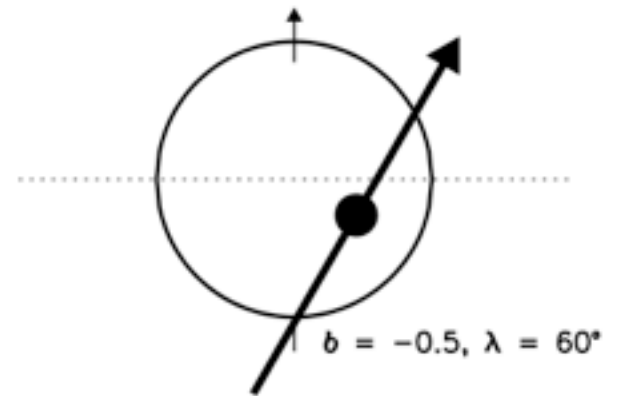
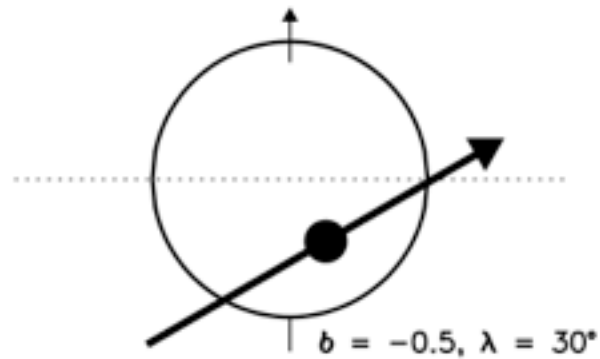
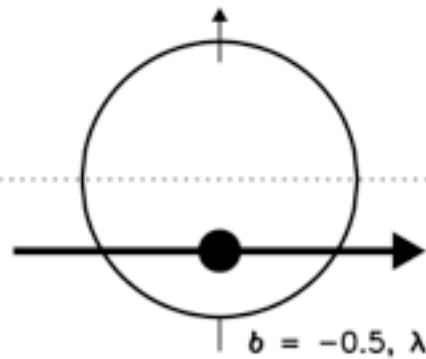
HD 189733



- 1 Blocks blue --> Appears red
- 2 Blocks red --> Appears blue



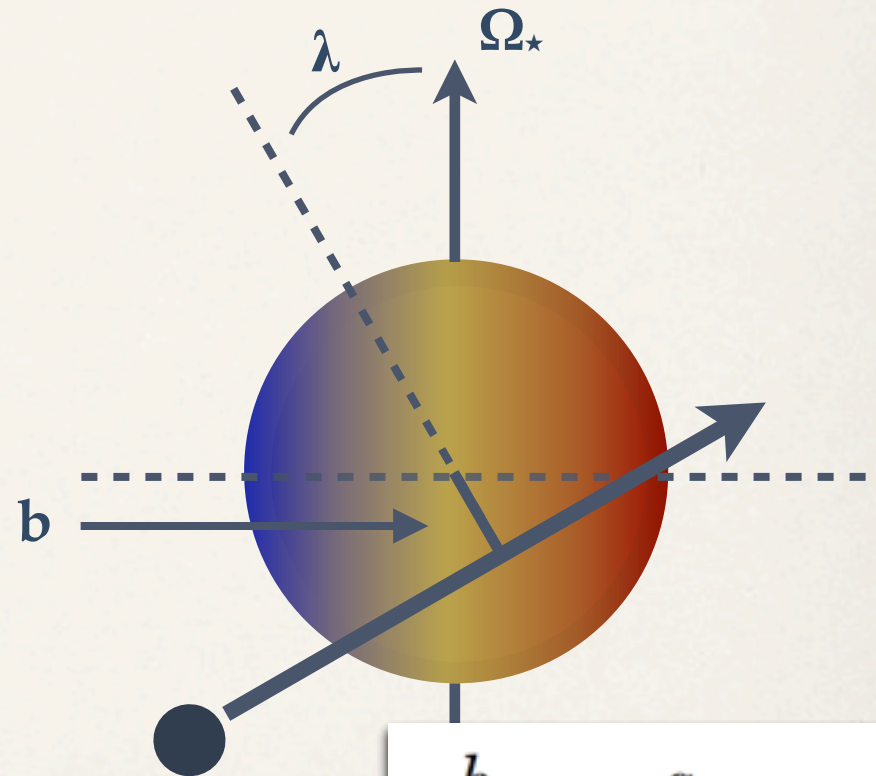
# Three examples



# Projected obliquity

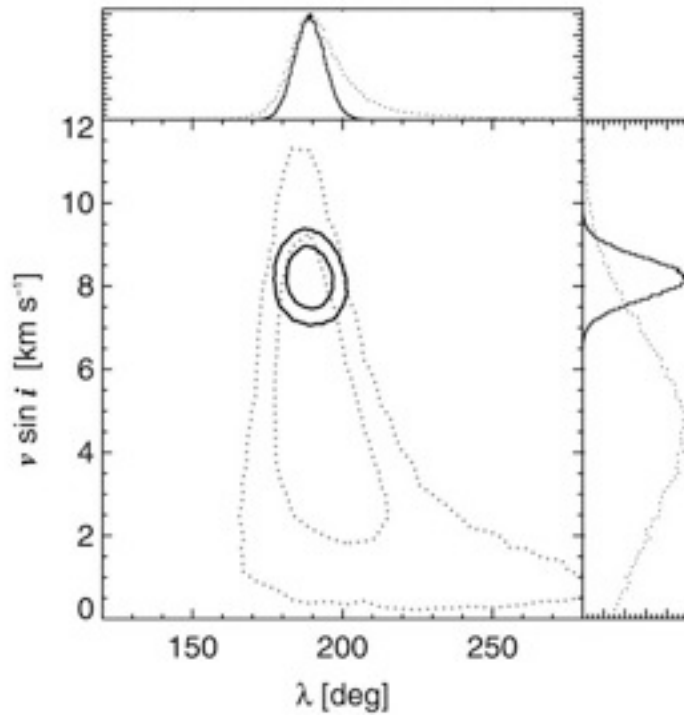
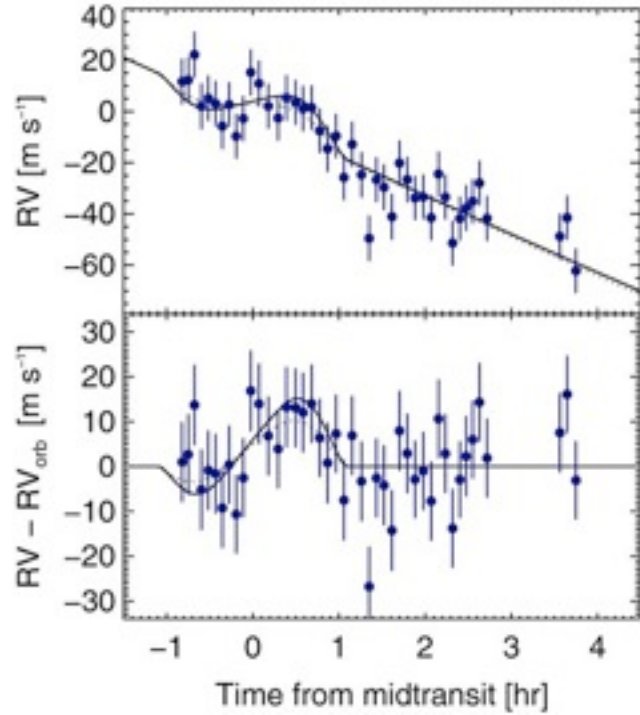
- ❖ Orbits with the same photometry (same  $b$ ) can have different obliquities.
- ❖ The RM effect depends on  $\lambda$ ,  $b$  and  $\Omega_\star \sin i_\star$ .
- ❖ The angle  $\lambda$  relates to the true stellar obliquity  $\psi$ .

$\lambda =$  (sky projected) stellar obliquity



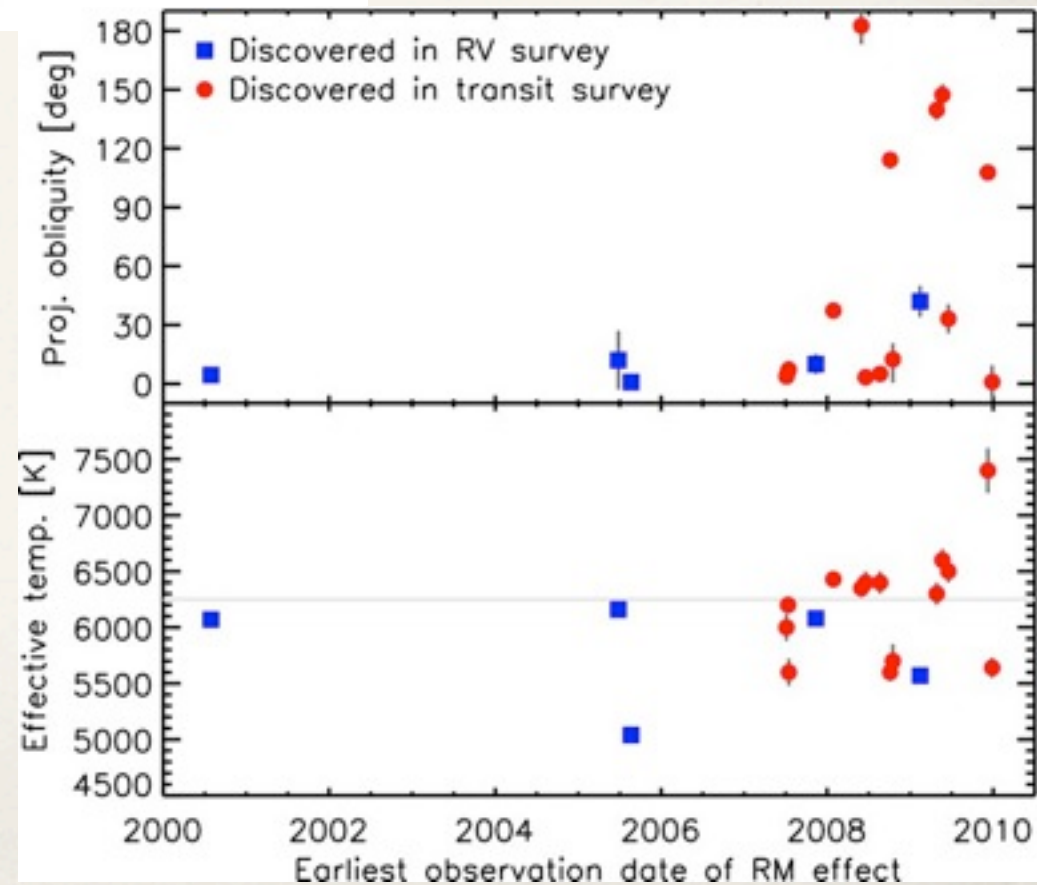
$$\cos \psi = \sin i_\star \cos \lambda \sin i_p + \cos i_\star \cos i_p$$

$$\frac{b}{R_\star} = \frac{a}{R_\star} \cos i_p$$



Even  
retrograde!  
(HAT-P-14)

Large spin-orbit  
misalignments

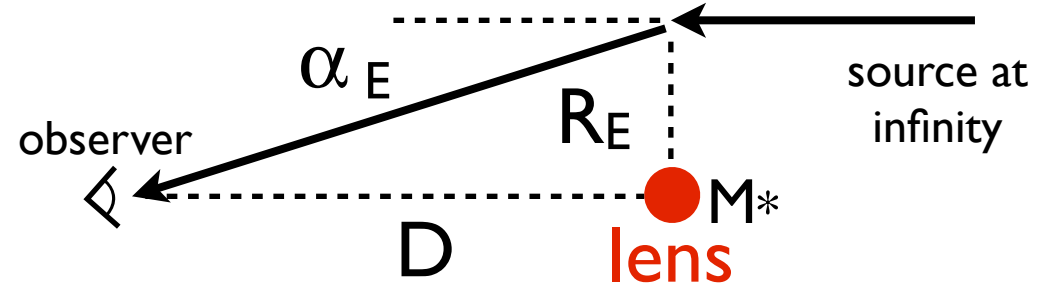
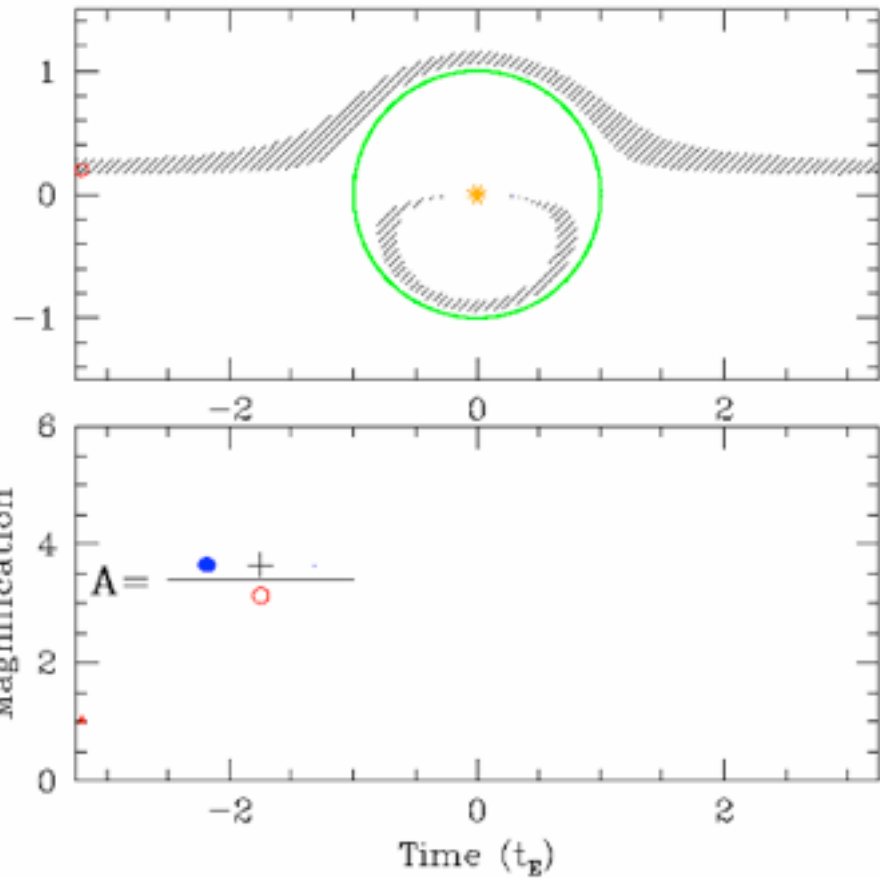




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# Gravitational Microlensing

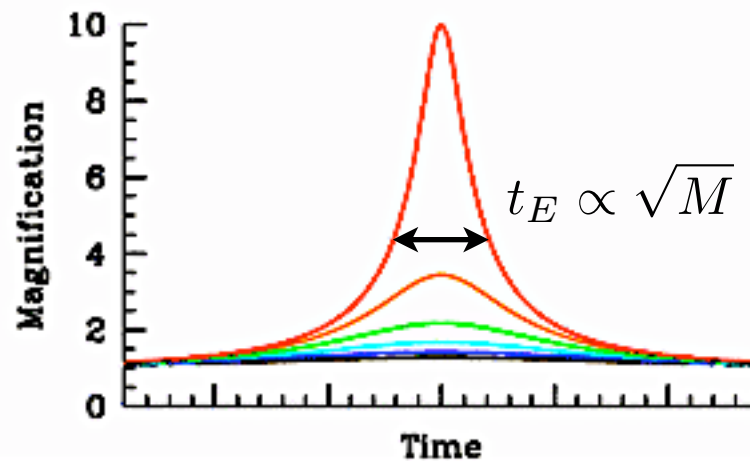
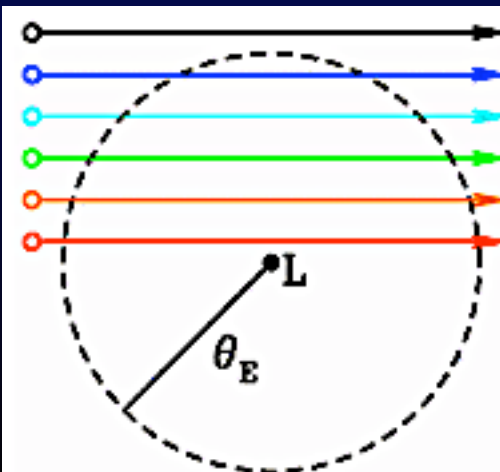


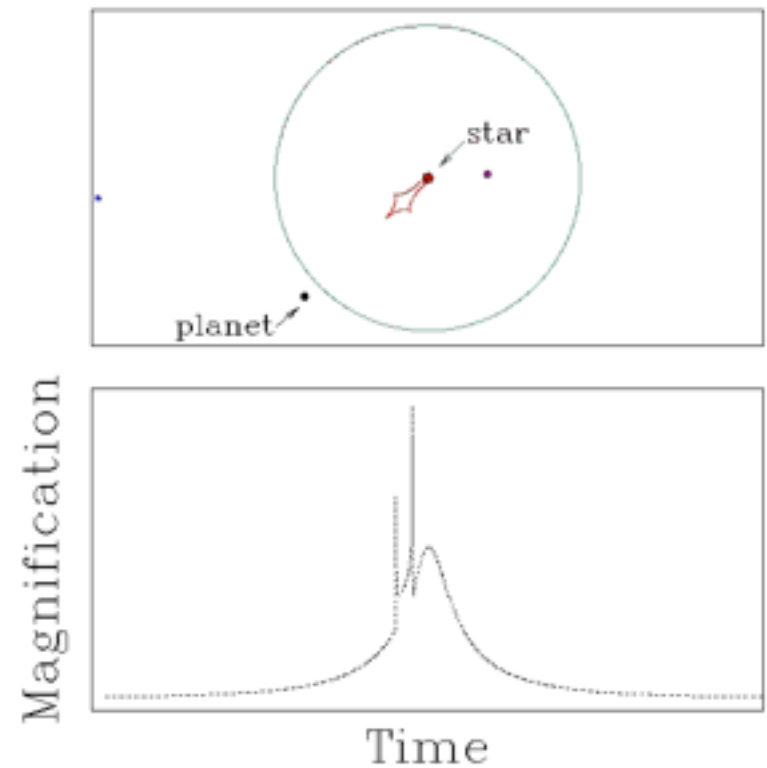
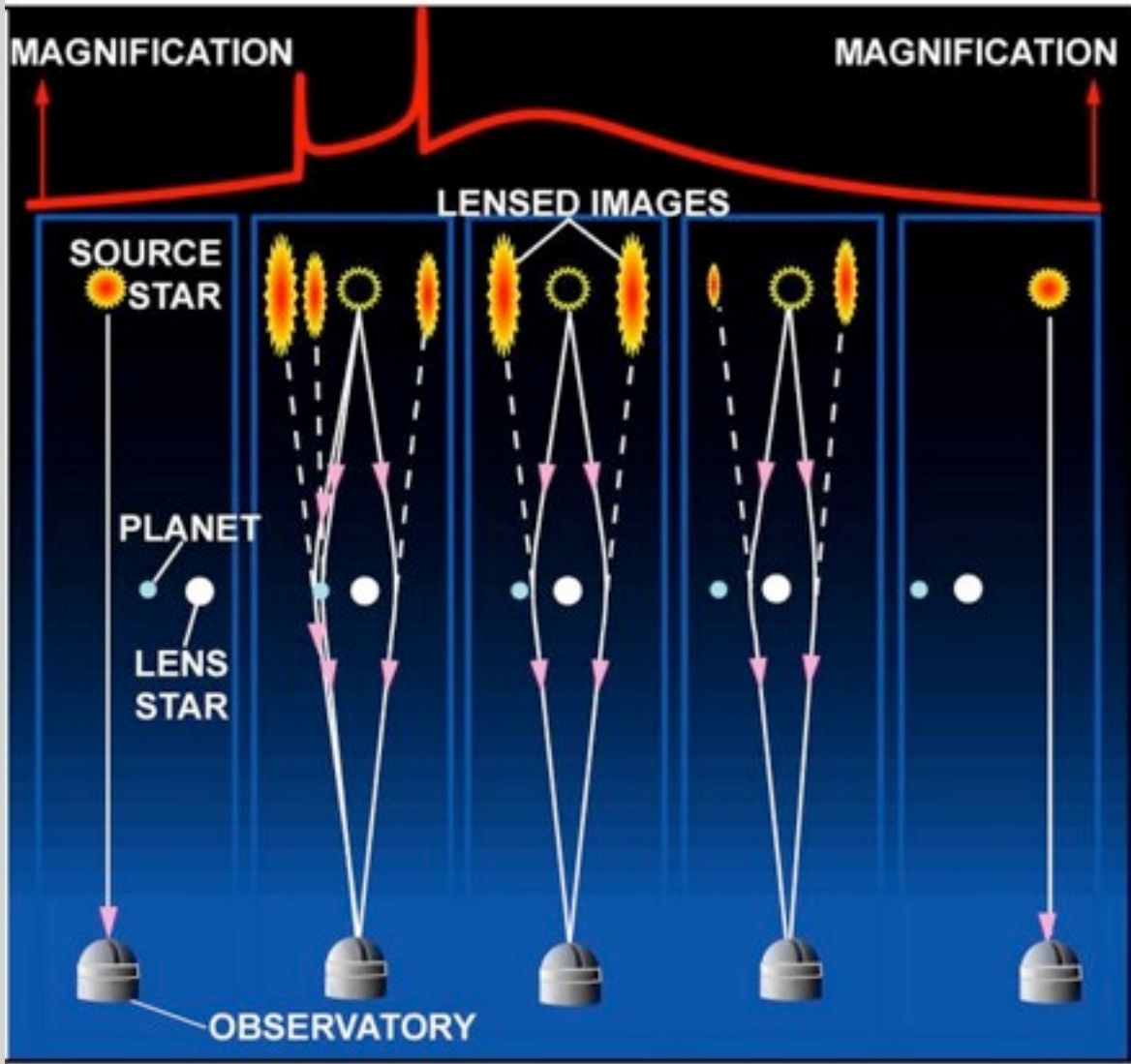
$$\Delta v \sim \frac{GM_*}{R_E^2} \times \frac{2R_E}{c} \quad \alpha_E \sim \frac{\Delta v}{c} \sim \frac{R_E}{D}$$

$$\alpha_E \sim 1 \text{ mas} \left( \frac{M_*}{M_\odot} \right)^{1/2} \left( \frac{\text{kpc}}{D} \right)^{1/2}$$

$$R_E \sim 1 \text{ AU} \left( \frac{M_*}{M_\odot} \right)^{1/2} \left( \frac{D}{\text{kpc}} \right)^{1/2}$$

$$t_E \sim \frac{R_E}{v_{\text{rel}}} \sim 1 \text{ month} \left( \frac{R_E}{\text{AU}} \right) \left( \frac{30 \text{ km/s}}{v_{\text{rel}}} \right)$$





$$t_P \sim t_E \sqrt{\frac{M}{M_*}}$$

## Planetary Microlensing (Binary lens)

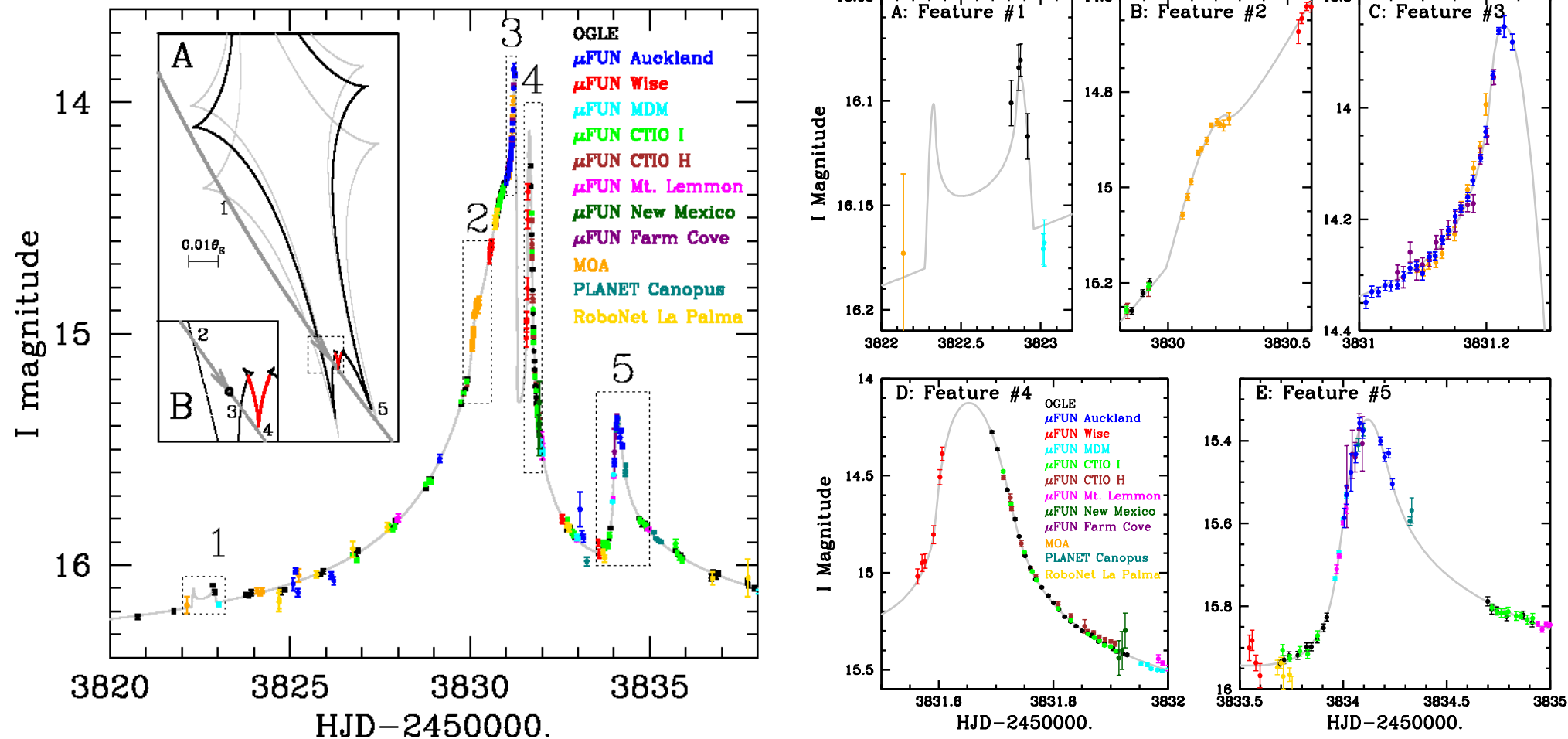
$$D \approx 5.2_{-2.9}^{+0.2} \text{ kpc}$$

$$a \approx 3.0_{-1.7}^{+0.1} \text{ AU}$$

$$M_* \approx 0.36_{-0.28}^{+0.03} M_\odot$$

$$M \approx 1.5_{-1.2}^{+0.1} M_J$$





$$M_* \approx 0.5M_\odot \quad D \approx 1.5 \text{ kpc}$$

$$M_1 \approx 0.71M_J \quad a_1 \approx 2.3 \text{ AU}$$

$$M_2 \approx 0.27M_J \quad a_2 \approx 4.6 \text{ AU}$$

$$e_2 \approx 0.15^{+0.17}_{-0.10}$$

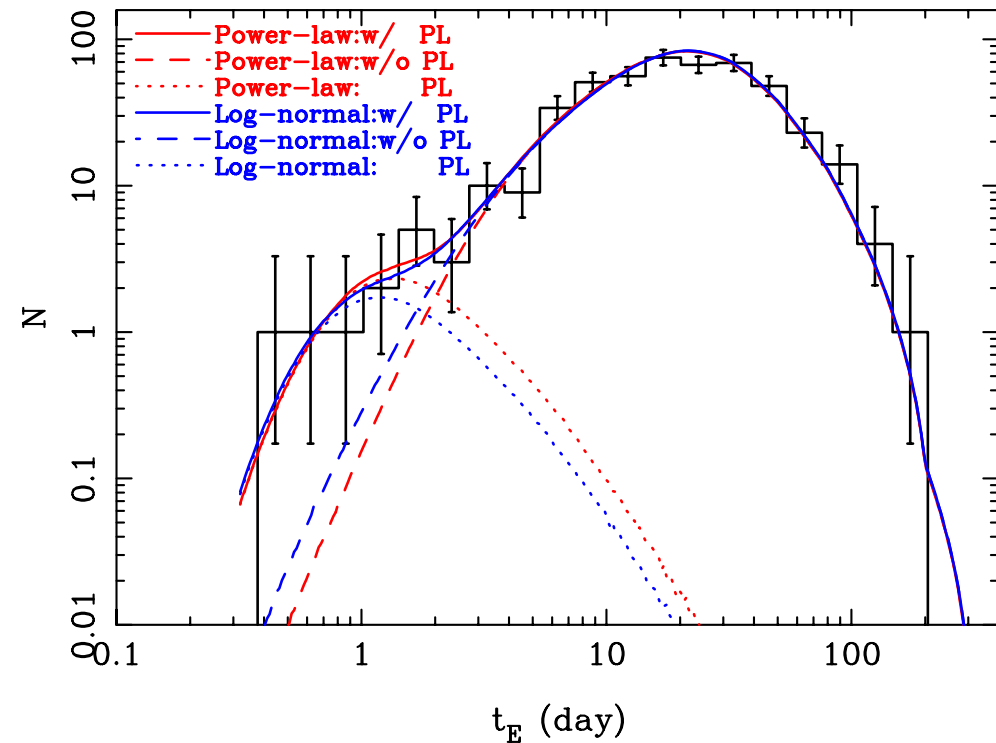
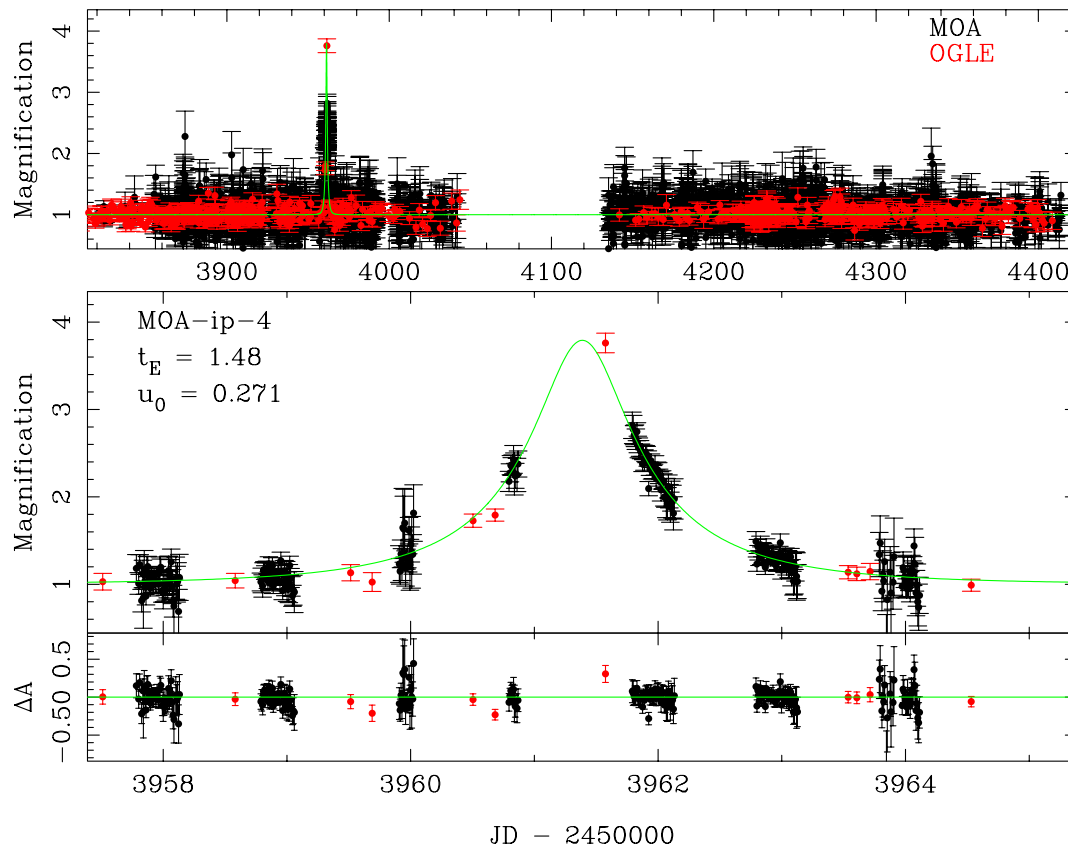
from orbital  
motion!

# Statistics from microlensing

1. At fixed  $M_*$ ,  $dN/dM \propto M^{-1.7}$

2. 20 +/- 10% of stars have 5-15  $M_{\oplus}$  at a  $\sim 1.6$ -4.3 AU

3. For every star  $0.08 M_{\odot} < M_* < 1 M_{\odot}$ ,  
there are  $\sim 2$  *free-floating* Jupiter-mass objects!

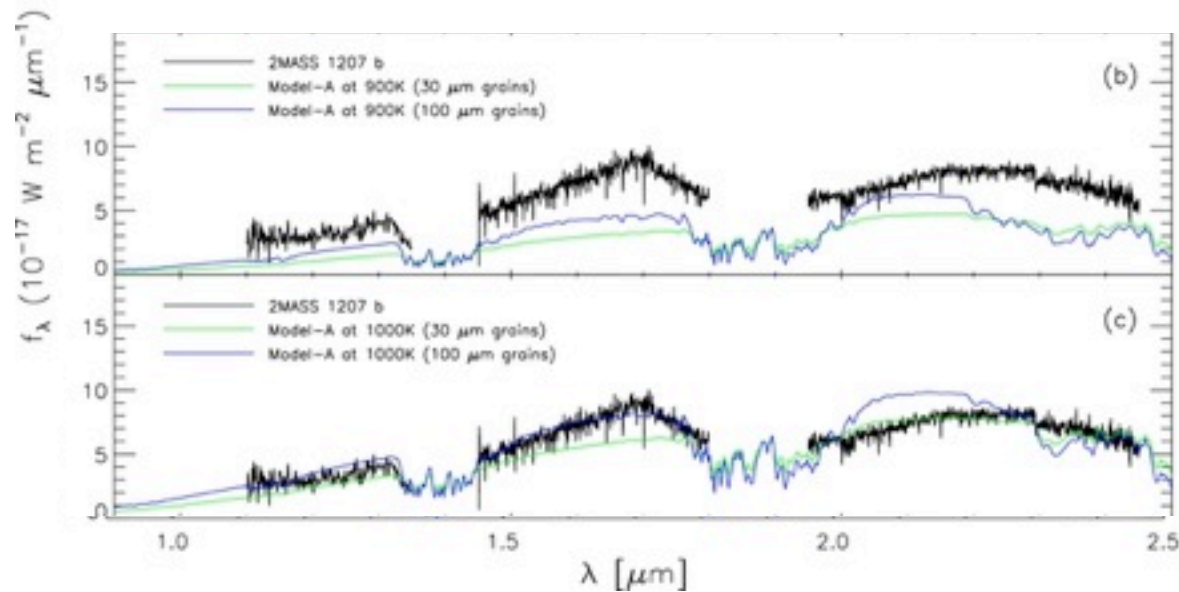
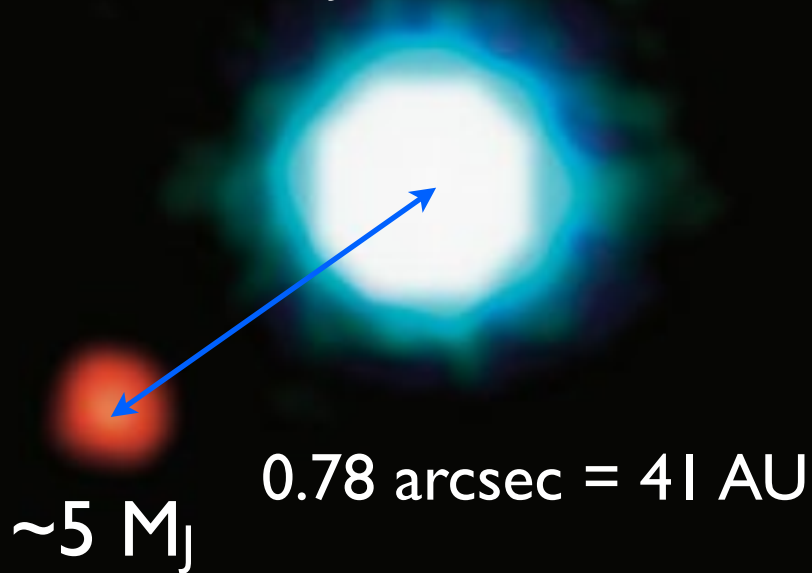


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# 2MASS 1207 b

~25  $M_J$  brown dwarf

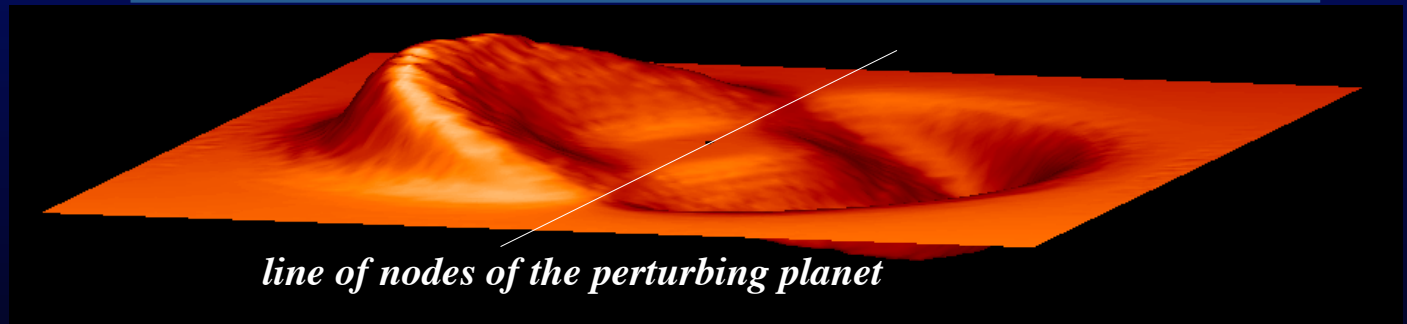
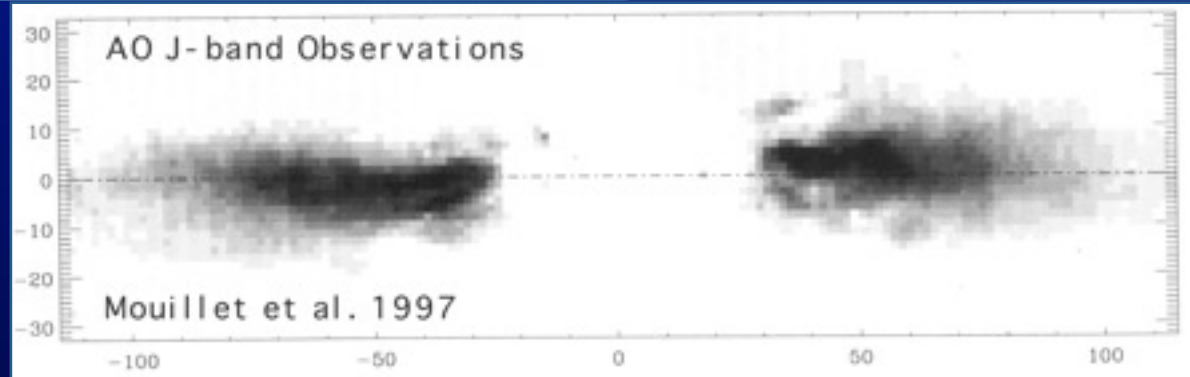
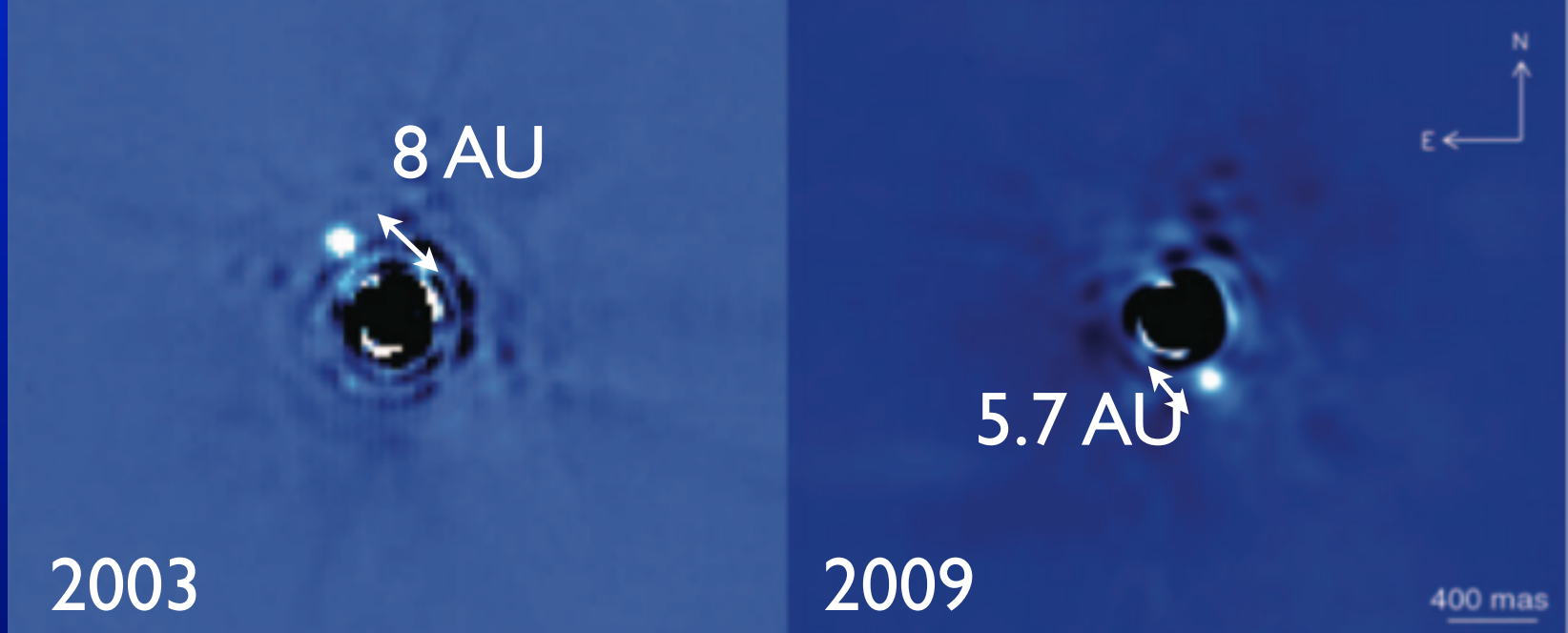
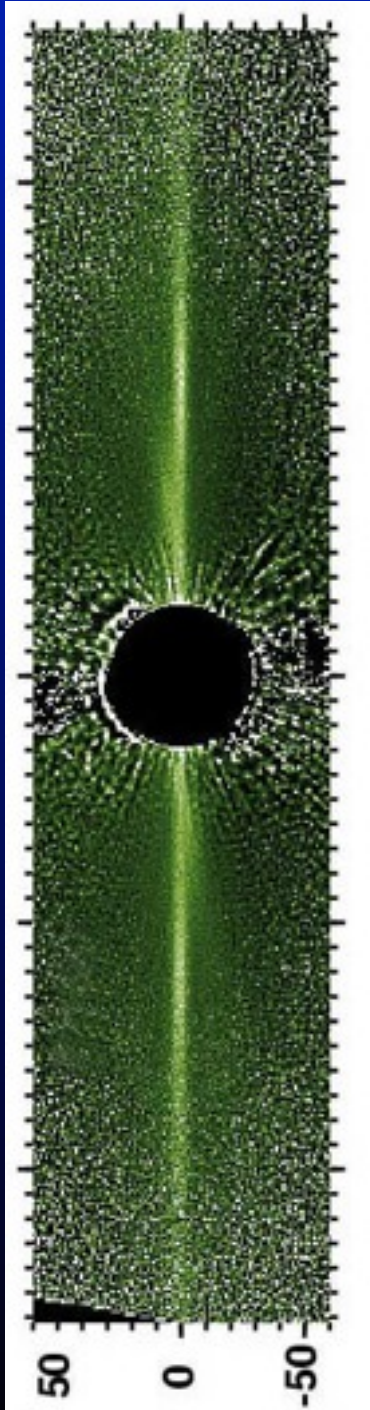


VLT 8-m with Infrared Adaptive Optics  
common proper motion

$$L \sim 10^{-4.7} L_\odot, t \sim 8 \text{ Myr} \rightarrow M \sim 5 M_J$$

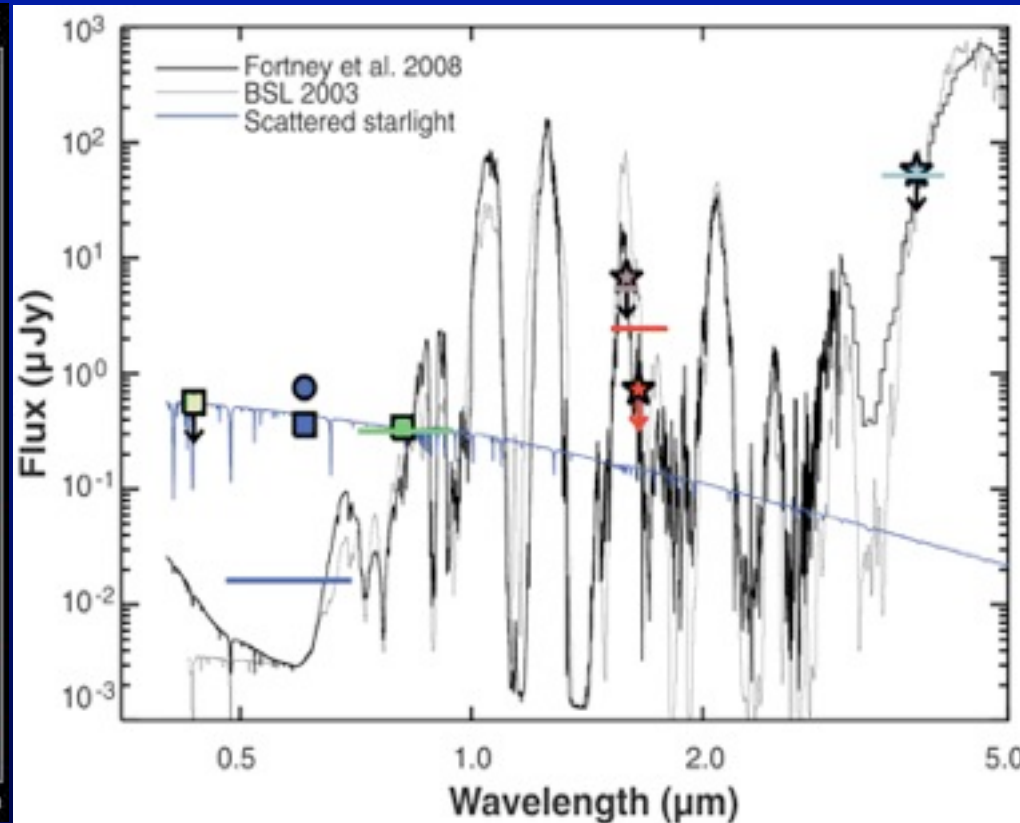
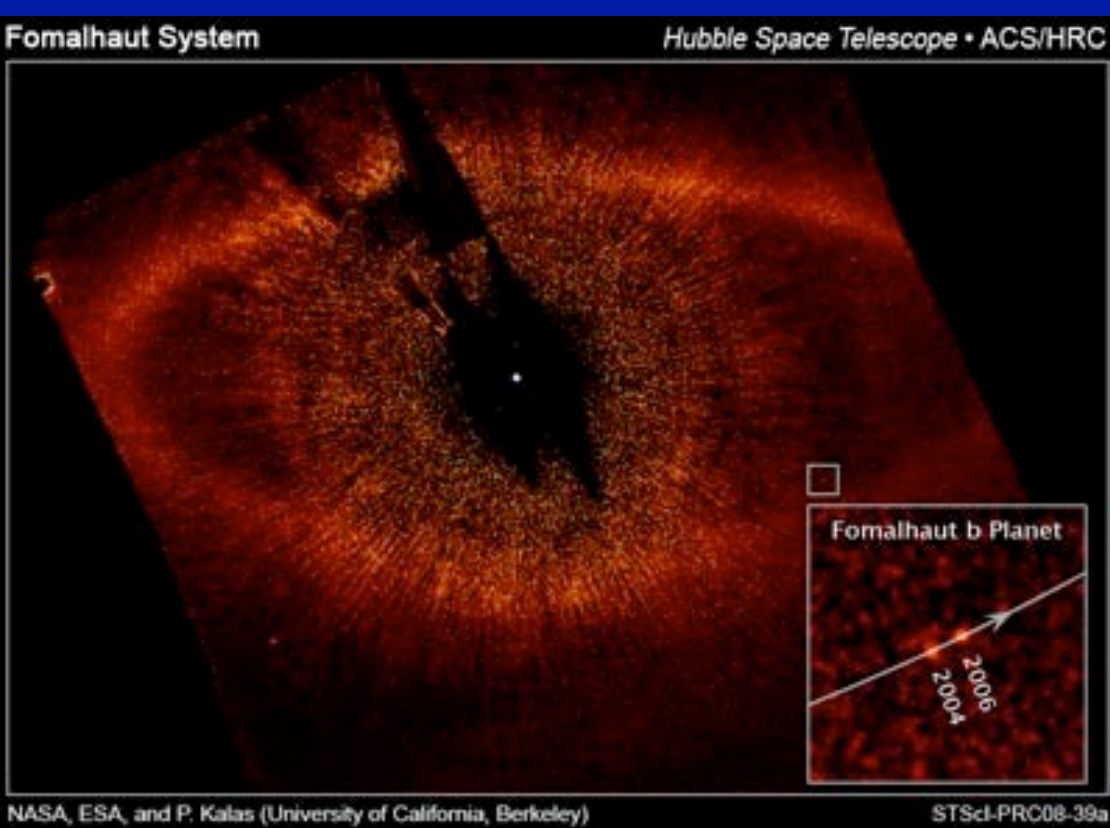


# beta Pic b



VLT 8-m with L' Adaptive Optics  
 $L \sim 10^{-3.7} L_{\odot}$ ,  $t \sim 12$  Myr  $\rightarrow M \sim 9 M_J$   
semimajor axis 8-15 AU; consistent with evolving vertical warp

# Fomalhaut b ( $L \sim 2 \times 10^{-7} L_{\odot}$ )



if  $\omega_{\text{planet}} = \omega_{\text{belt}}$  (nested ellipses)

$$a_{\text{planet}} = 115 \text{ AU}$$

then  $e_{\text{planet}} = 0.12$

$$M_{\text{planet}} = 0.5 M_{\text{J}}$$

not thermal emission from  
planetary atmosphere

40  $R_{\text{J}}$  reflective dust disk?

Variable  $\text{H}\alpha$  emission?

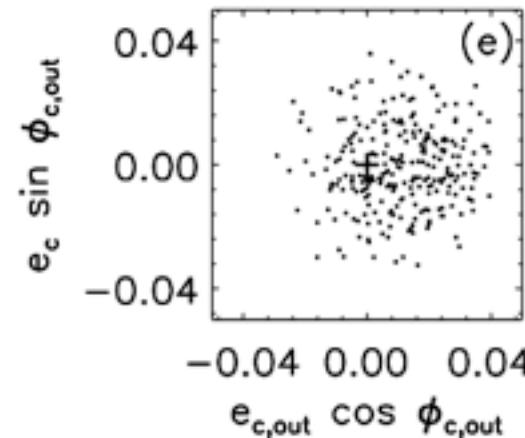
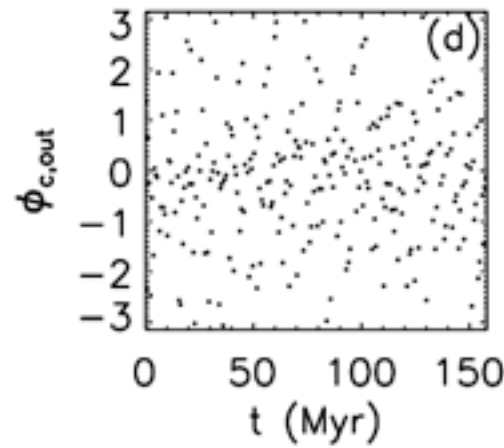
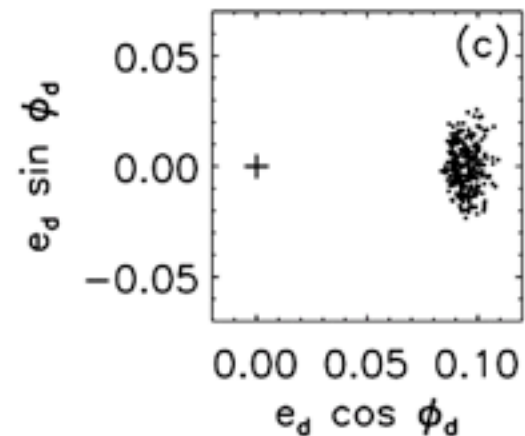
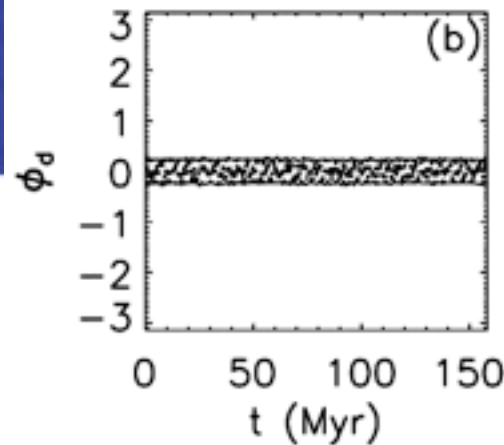
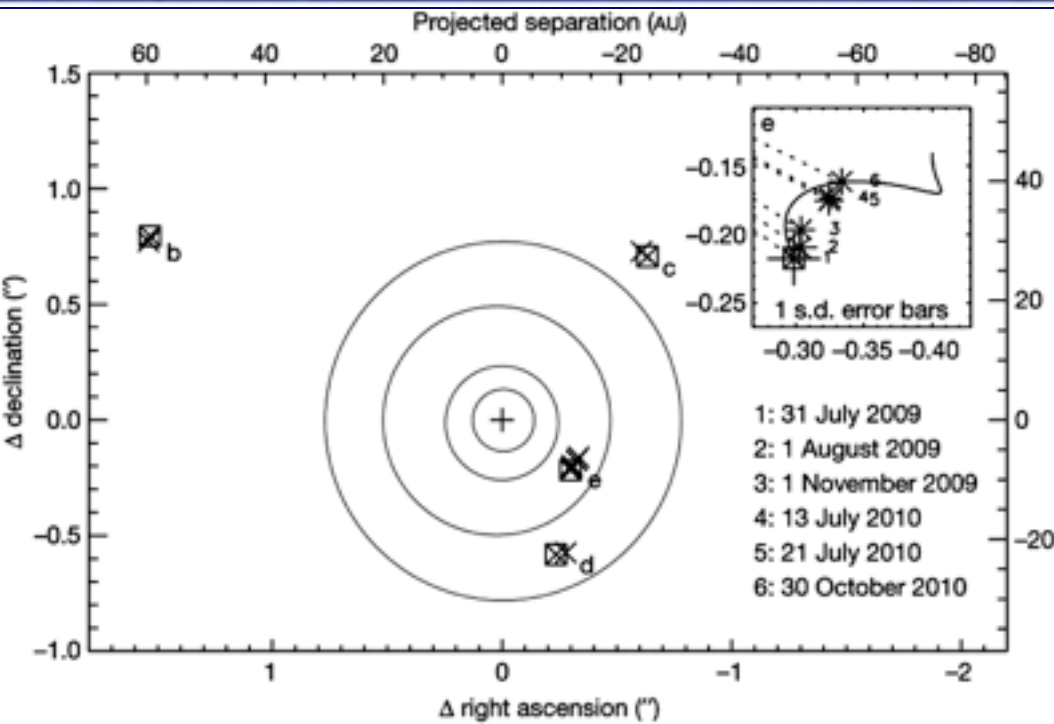
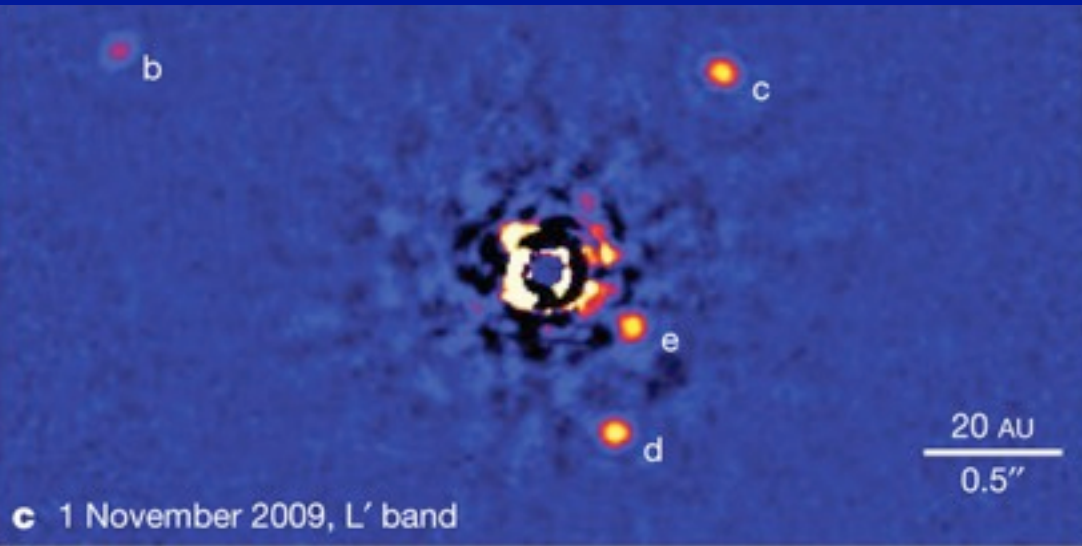
HR 8799

A-type star 30-60 Myr old  
with 4 Super-Jupiters

Orbital resonances afford stability  
 $d:c = 2:1$  resonance

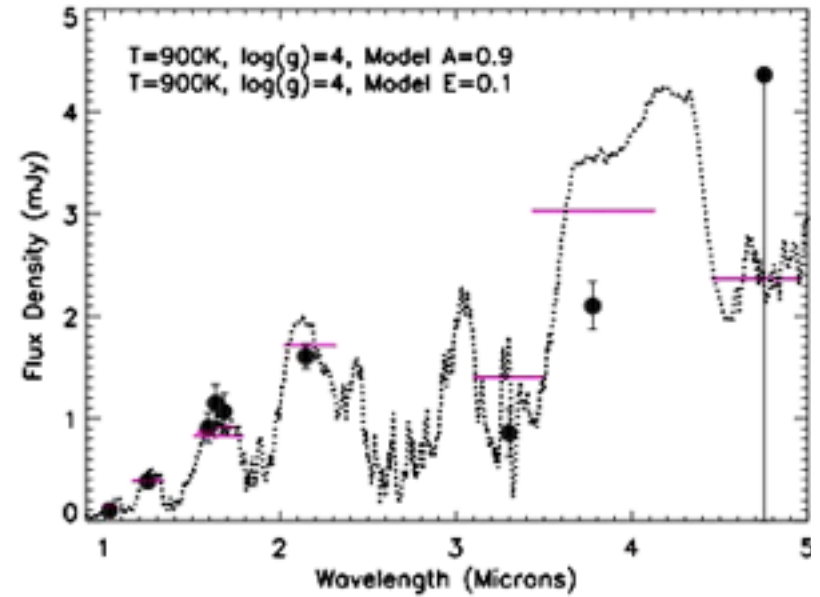
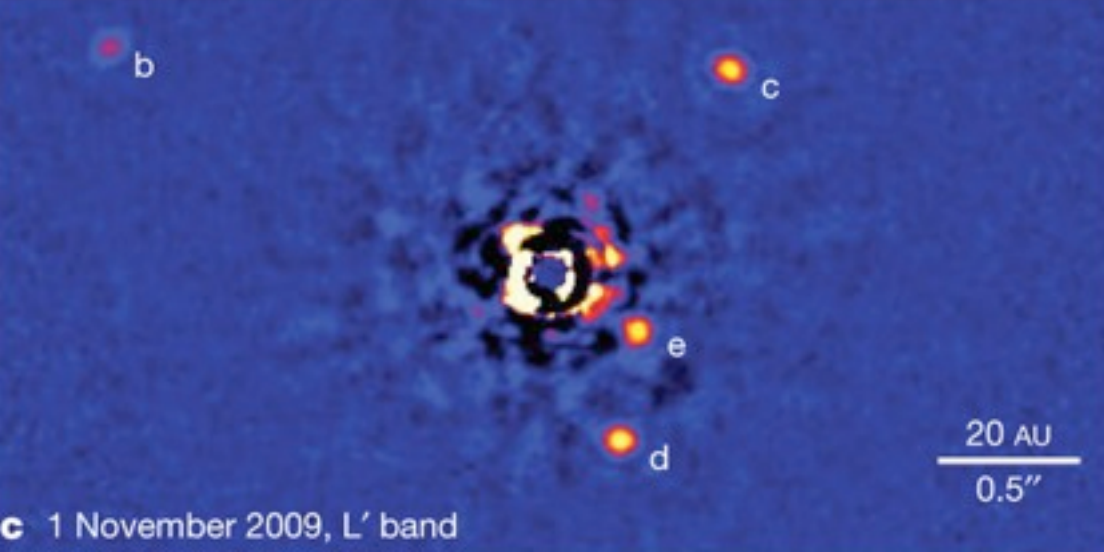
Other possibilities include  
 $d:c:b = 4:2:1$   
 $e:d:c = 4:2:1$

dynamical masses  $< 20$  Jupiter  
masses each

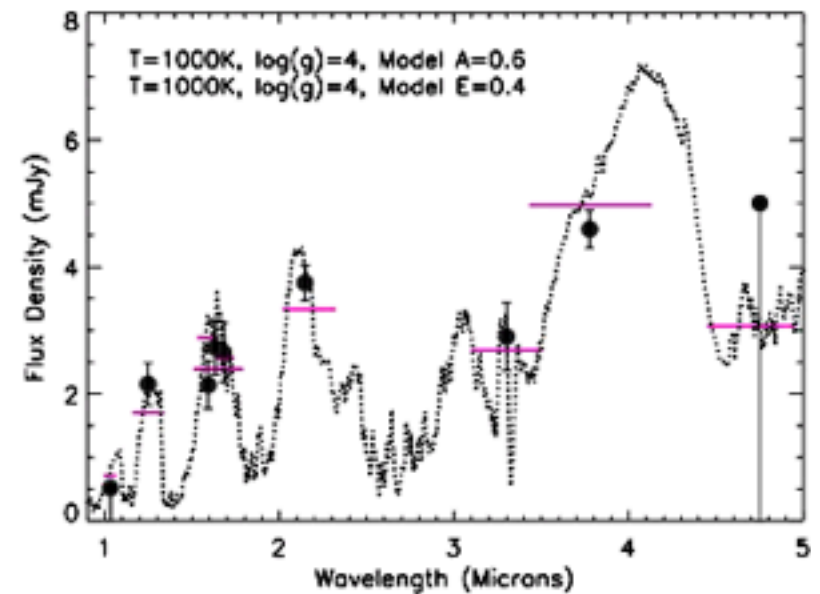




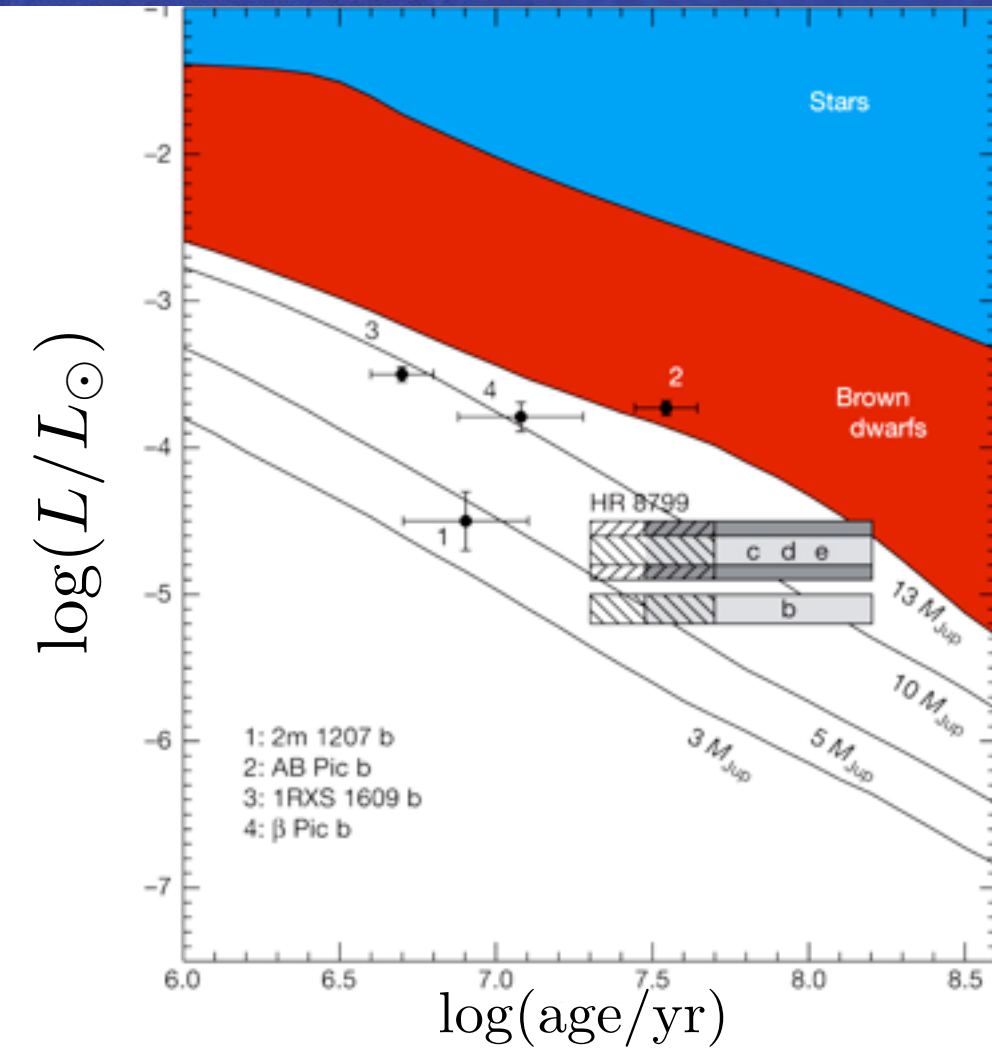
# Cloudy spectra unlike brown dwarfs



6-7  
 $M_J$



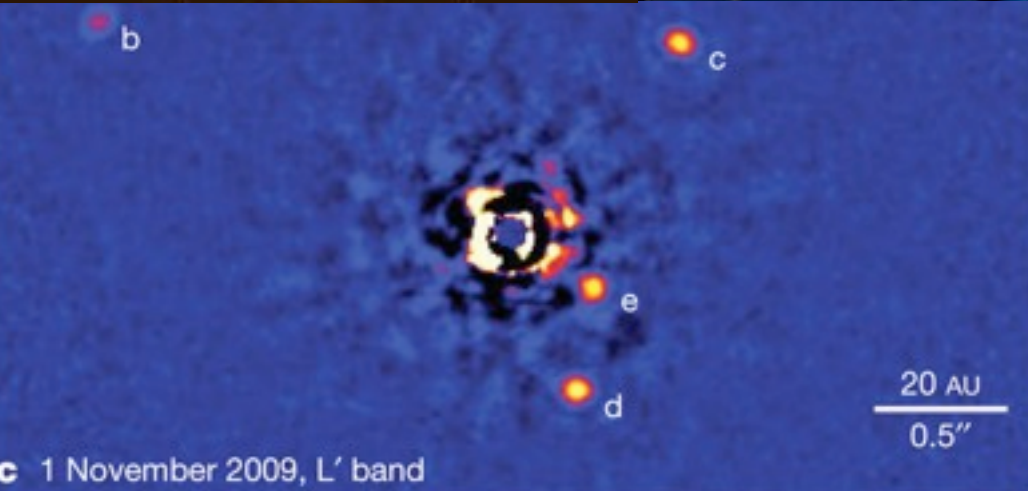
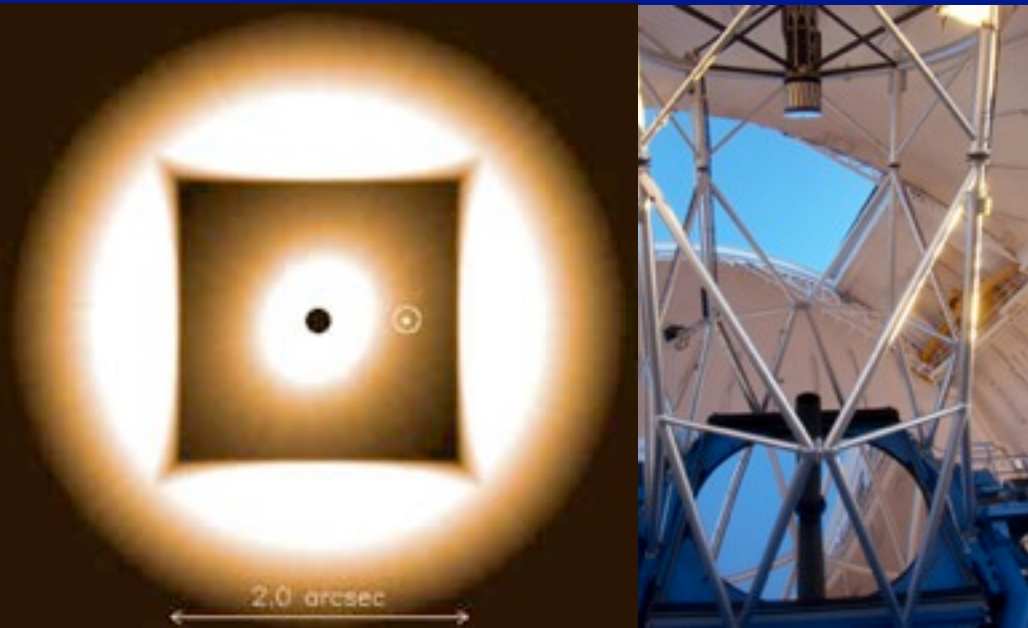
7-10  
 $M_J$





# Gemini Planet Imager (GPI) 2012

Pan-STARRS (once a week,  
mag 24)  
and LSST (once every few  
days, mag 24.5)

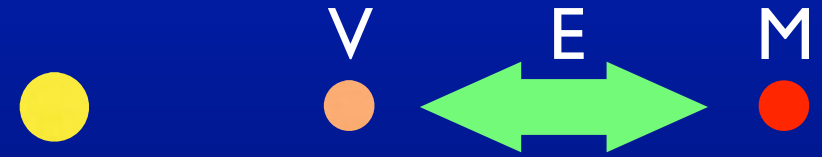


# Observations of Extrasolar Planets

- I. Kepler transits
- II. Doppler velocity
- III. Microlensing
- IV. Imaging
- V. Disks

# Reconstructing protoplanetary disks: “Minimum-Mass Solar Nebula”

solar composition by mass (Lodders 2003)  
 gas (H,He) : ice (O, C, ...) : rock (Mg, Si, ...)  
 1 : 0.015 : 0.005



At  $r \sim 1$  AU:

$$\Sigma_d \sim \frac{1 M_{\oplus}}{\pi \text{ AU}^2} \sim 10 \text{ g/cm}^2$$

if just rock (too hot for ice):

$$\Sigma_g \sim 10 \text{ g/cm}^2 \times \frac{1}{0.005}$$

$$\sim 2000 \text{ g/cm}^2$$

$$M_g \sim \int^{100 \text{ AU}} \Sigma_g 2\pi r dr$$

$$\sim 0.03 M_{\odot}$$

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S. J. WEIDENSCHILLING

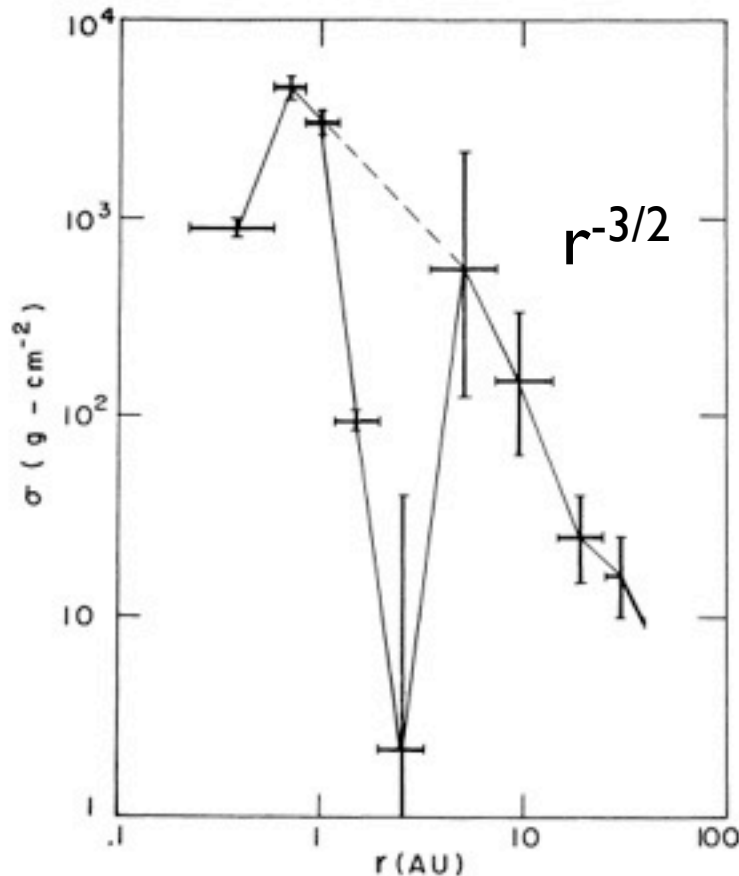
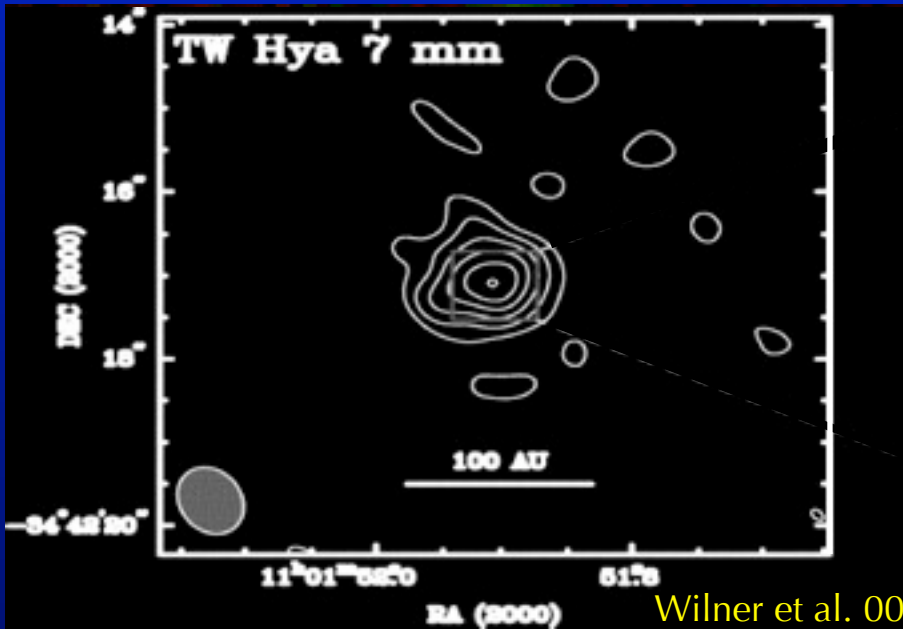


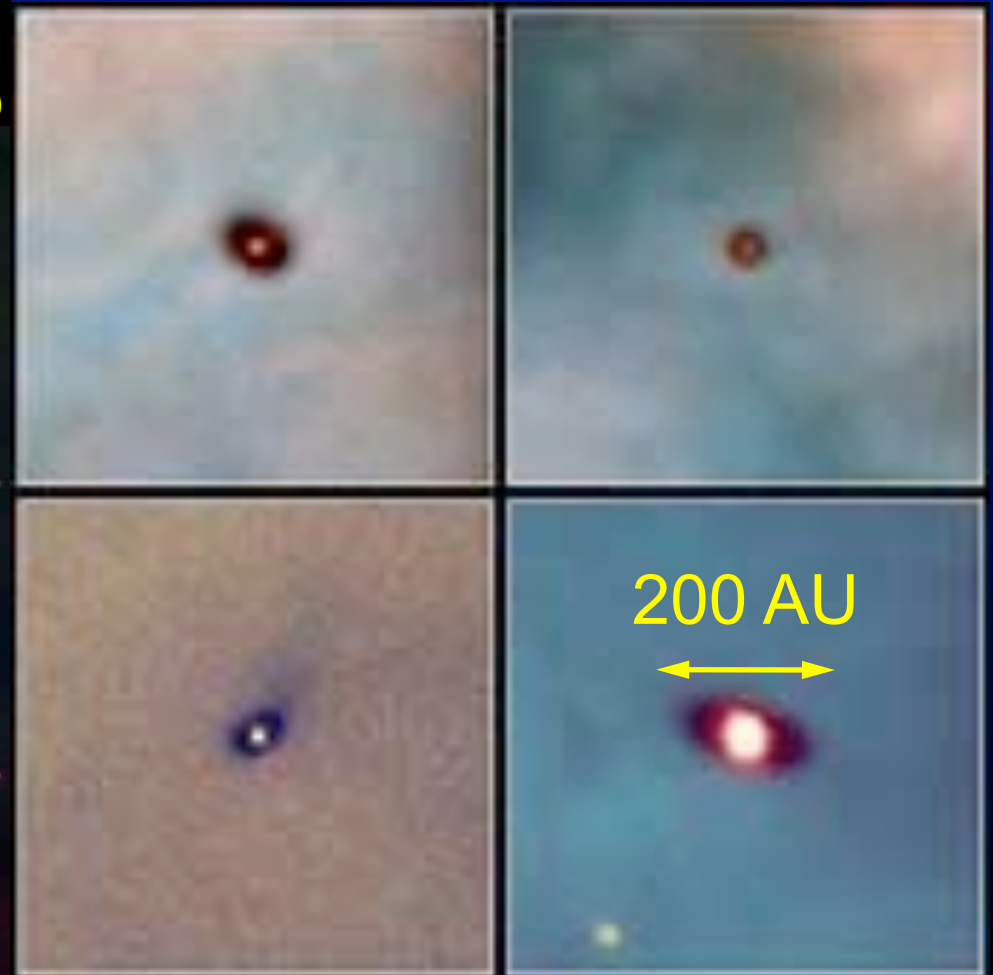
Fig. 1. Surface densities,  $\sigma$ , obtained by restoring the planets to solar composition and spreading the resulting masses through contiguous zones surrounding their orbits. The meaning of the ‘error bars’ is discussed in the text.

# Protoplanetary Disks

disk mass  $\sim 0.001$ - $0.1$  stellar mass

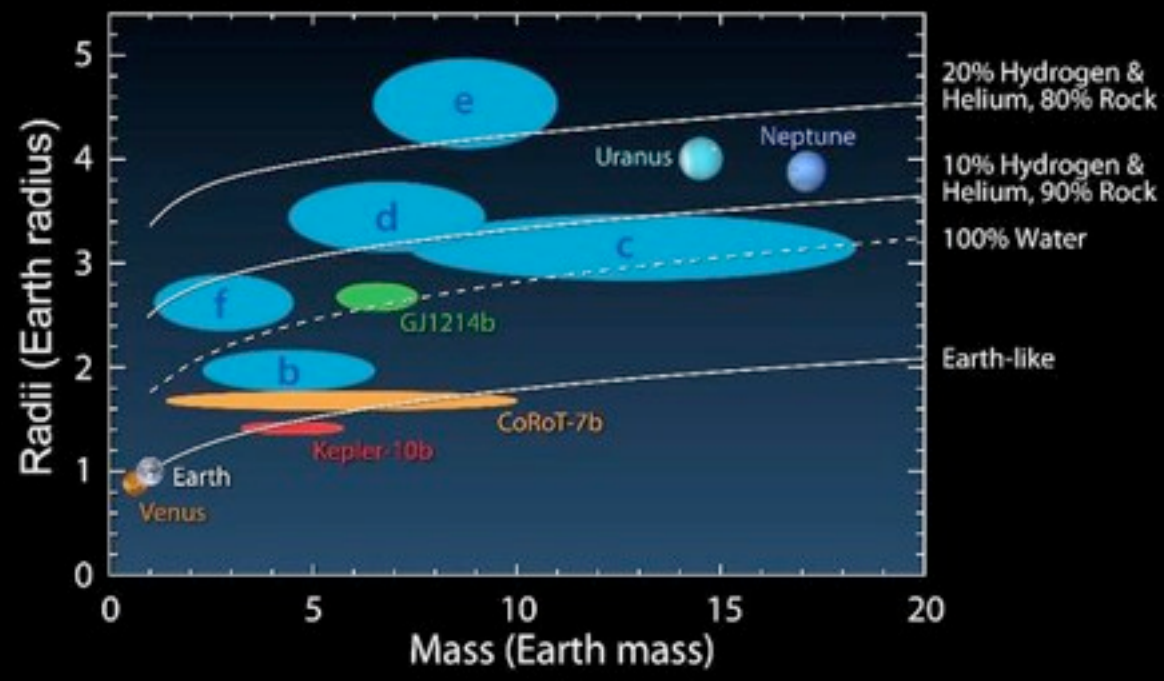
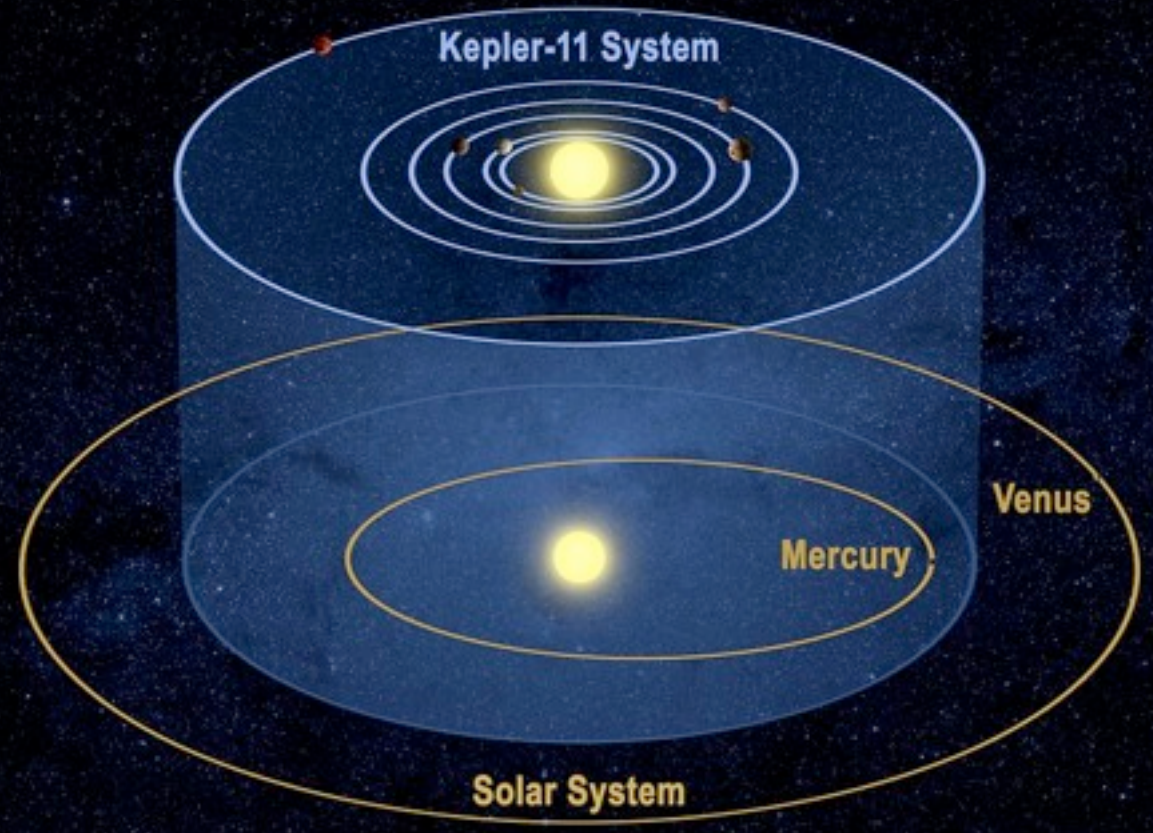
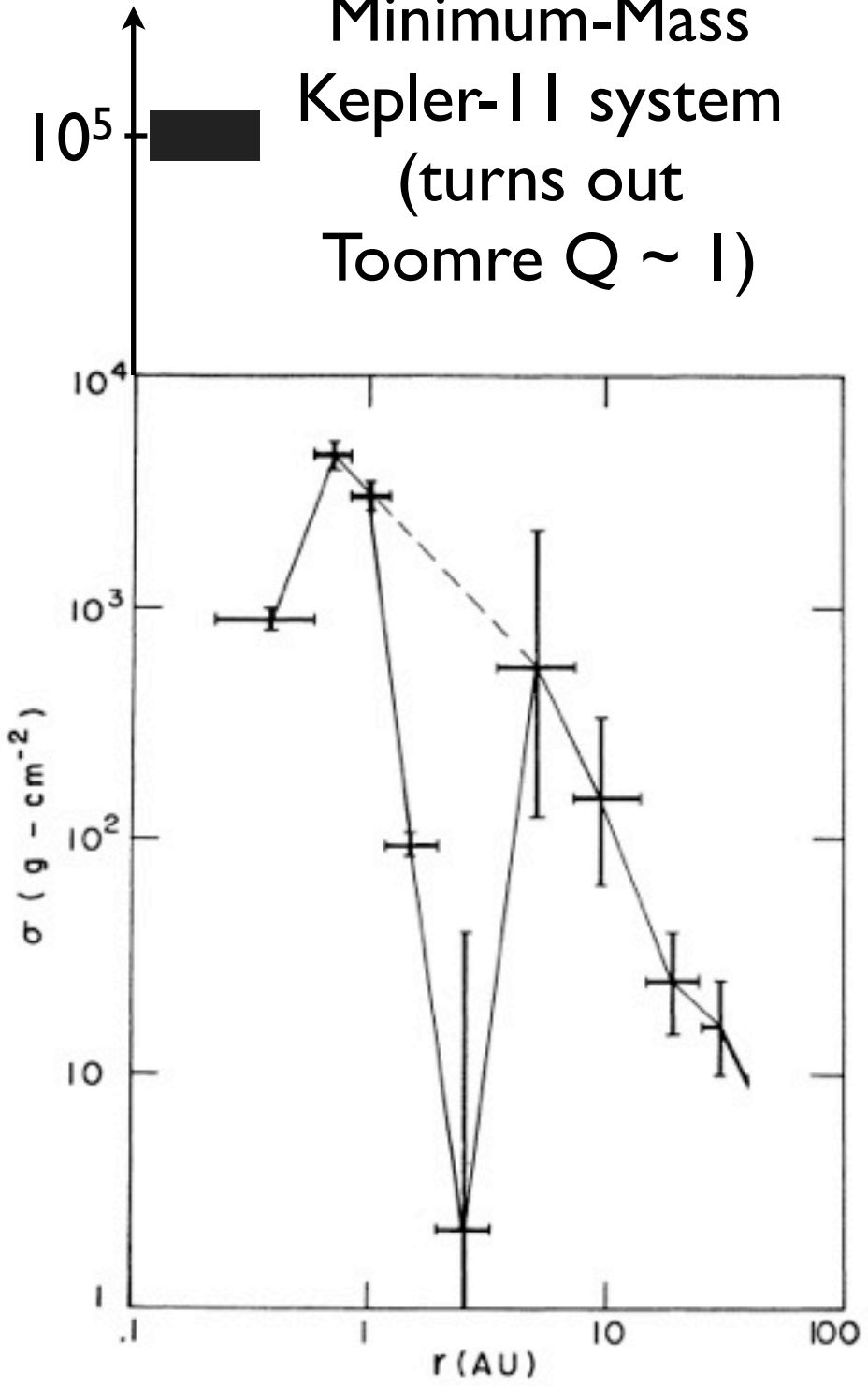


Wilner et al. 00

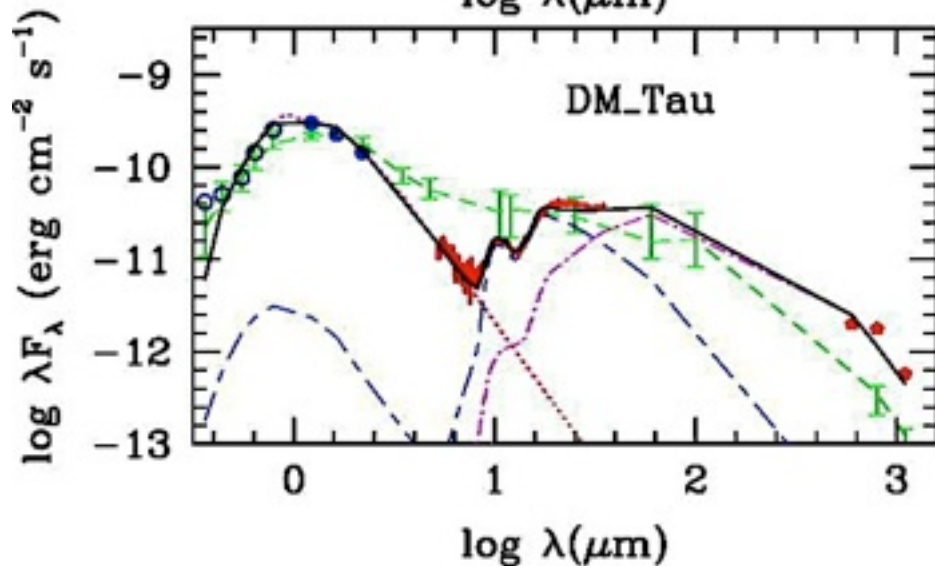
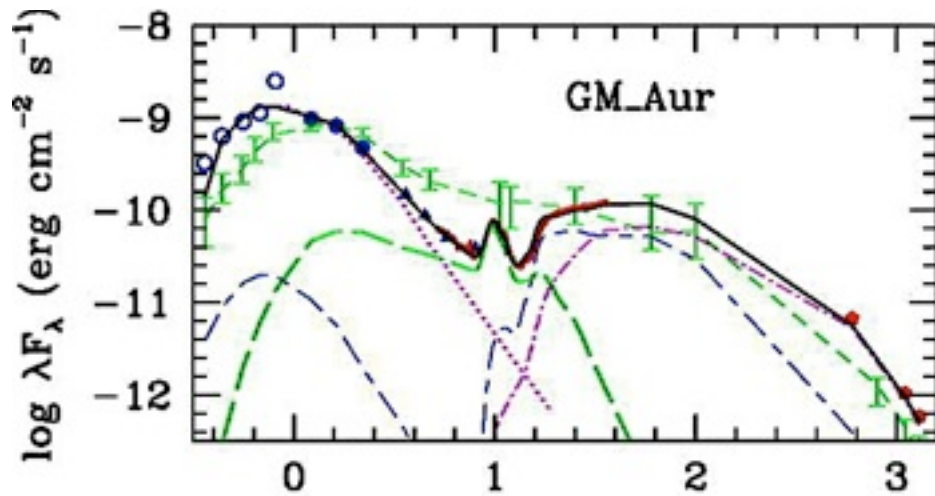




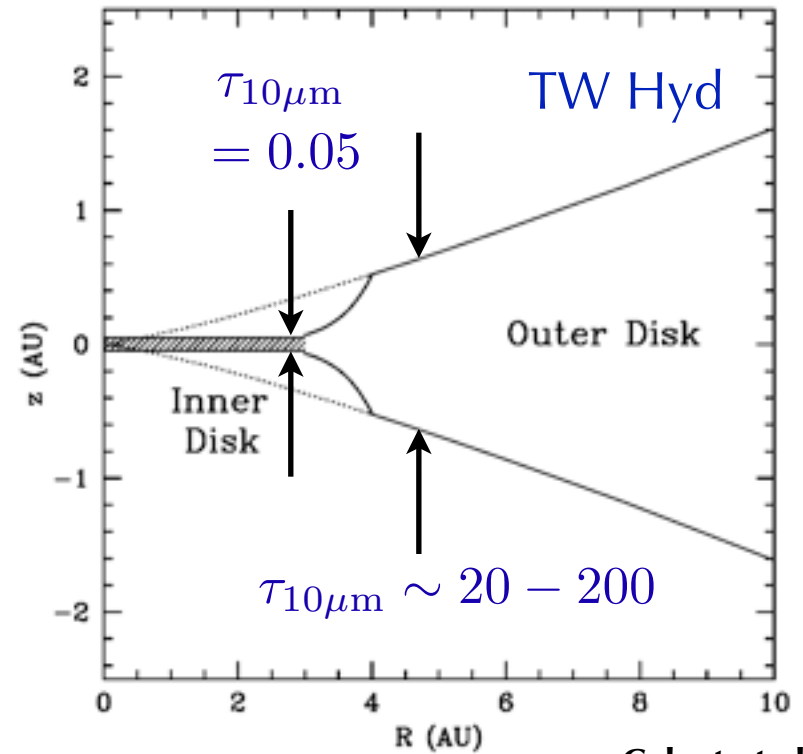
Minimum-Mass  
Kepler-I I system  
(turns out  
Toomre  $Q \sim 1$ )



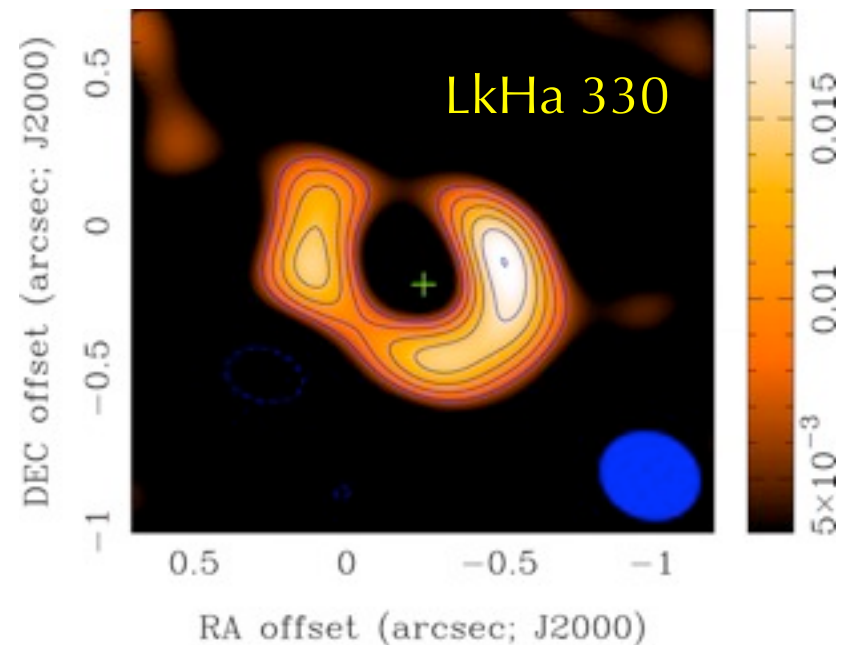
# Transitional Disks



Calvet et al. 05

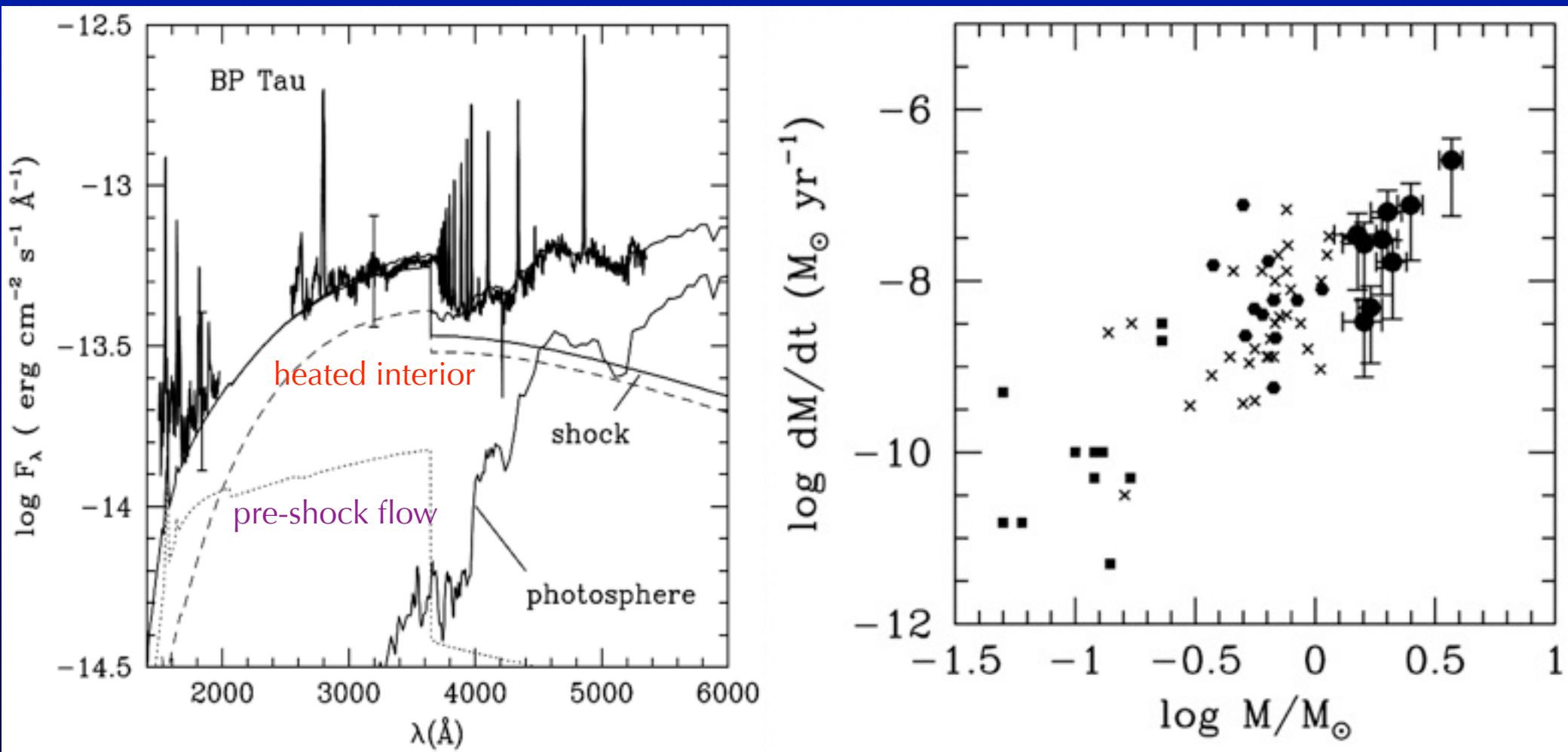


Calvet et al. 02



Brown et al. 08

# Pre-main-sequence stars accrete



Blue excess powered by accretion

# Holes are not empty

- Mild near-IR excesses in some sources

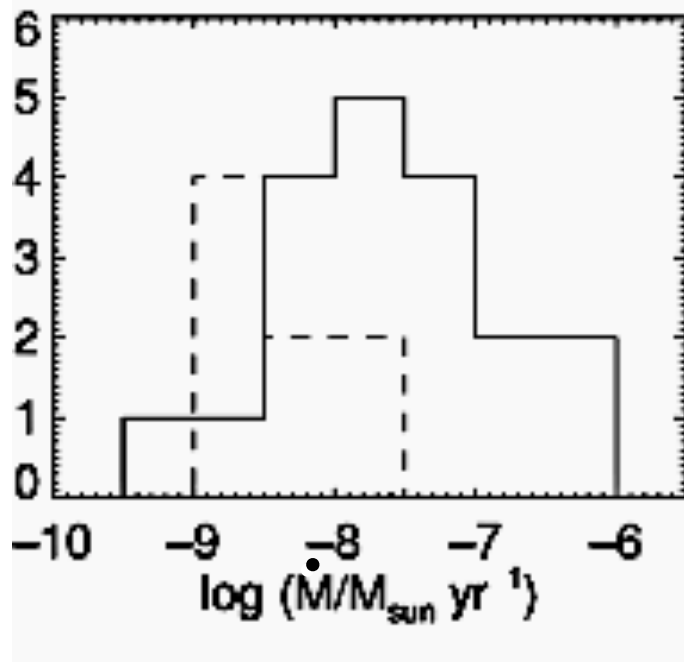
$$\tau_{10\mu\text{m}} \sim 0.002 - 0.05$$

- Many accrete

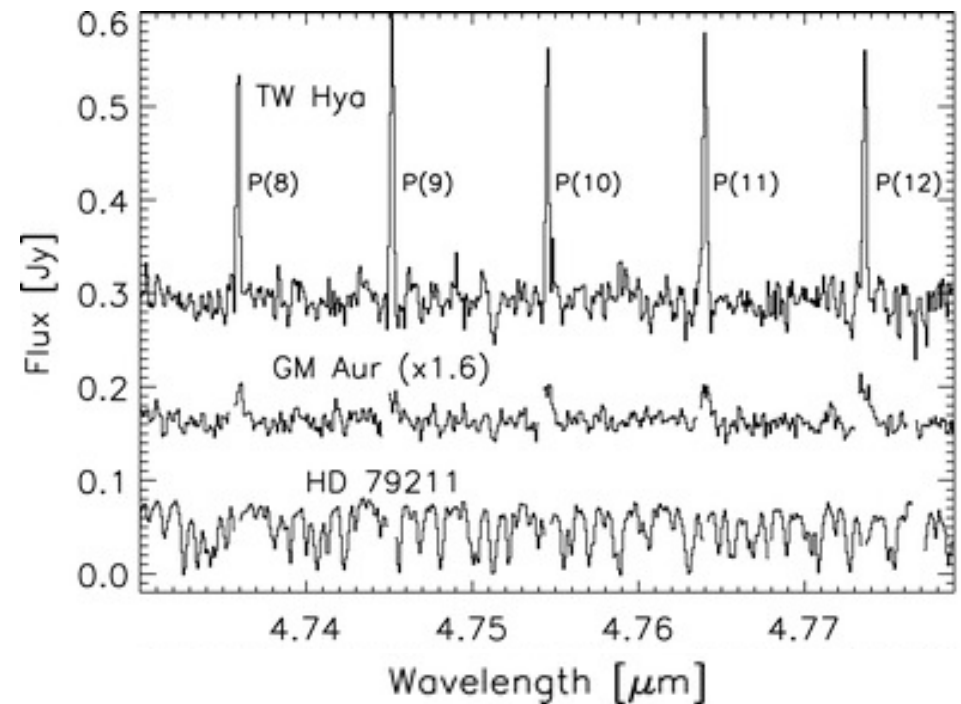
$$\dot{M} \sim 0.1 \times \text{median T Tauri}$$

- Inner molecular gas disks

$$\Sigma(\text{H}_2) > 0.1 \text{ g cm}^{-2} \text{ at } \sim 0.2\text{AU}$$



Najita et al. 07



Salyk et al. 07